

# **Consumption and Housing**

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# 1. Core Definitions

- **Total wealth:**
  - Human wealth + Non-human wealth
- **Human wealth:**

Estimated present value of after-tax labor income likely to be over the span of his working life.
- **Non-human wealth:**
  - Financial wealth + housing wealth.
- **Financial wealth:**
  - Stocks, bonds, checking accounts, saving accounts (which is also the estimated present value of after-tax financial income, e.g., dividends from stocks (=S), interest rate from bonds (=B))
- **Housing wealth:**
  - Value of owned-house minus mortgage still due.
- How do people decide how much to consume and how much to save?
- In our first model, we ignored the effect of wealth on this decision.
- Now, we would like to make more accurate description and characterization recognizing effects other than current disposal income.
- Notice that consumption accounts for the cheer size of GDP, so it is important to be more accurate.

- A rational consumer would:
  - Try to smooth her future consumption based (positively) on her expected total wealth.
  - Increase large purchases (i.e., housing) when finance is cheaper.
  - Account for the “free” retirement income from employer or government.
  - Increase saving (decrease consumption) when uncertainty/worry about health and life expectancy.
  - Increase saving (decrease consumption) to satisfy his desires for leaving bequests.
  
- There are two economic theories (hypotheses) that recognize and endogenize some of the above effects:
  - **Life Cycle Hypothesis**, by Franco Modigliani from MIT, emphasizes that consumers’ natural planning horizon is their entire life.
  - **Permanent Income Hypothesis**, by Milton Friedman from Chicago, emphasizes that consumers look beyond current income.

- Life Cycle and Permanent Income Hypotheses both:
  - Recognize current consumption choices reflect thinking about lifetime income (their total wealth rather than income only) and spending.
  - Consumers' spending should be smoothed from year to year (rather than vary widely from year to year).
  - Predict short-run  $MPC < APC$ .
  - Expect dissaving in retirement years.
- **Note:**
  - *Is the age distribution of population (Demographics) important?*
  - How expectation for future higher output affect today's consumption? (Hint: how will this affect future wages and dividends?)
  - *How do liquidity constraints affect the consumption spending decision under the Life Cycle and Permanent Income Hypotheses? How does their relaxation affect the consumption spending decision?*
  - How would a tax change affect the consumption? (hint: does that depend whether it is finance through change in  $G$  or government debt?). **Barro theory (Ricardian equivalence or Ricardo-Barro proposition)** intriguing but does not fair well empirically (Consider how lagged responses create a multiplier that changes over time).

## 2. A Simple Model of Consumption

- A realistic model would account, inter alia, for:
  - Lifecycle restrictions
  - Liquidity restriction
  - Uncertainty and risk aversion
  - Bounded rationality
- Therefore, based on the aforesaid, a simple model would be of the form:

$$C_t = C(\text{Total wealth}_t, \text{Cost of Consumption}_t, \text{expected remaining life})$$

- Or:

$$C_t = C(Y_t^D, \text{Total future wealth}_t, P_t, r_t, \text{expected remaining life})$$

- When real interest rate is high, then it means that
  - Today's consumption leads to a greater forfeit of future consumption
  - Higher motivation for saving (lower for dissaving)
  - Lower present value of future wealth.

- Assuming  $P$  is given (zero inflation), therefore,  $r=i$  and  $P$  affects the intercept.
- Therefore, a good specification would be of the following:

$$C_t = c_0 + c_1 Y^D_t + c_3 TW_{t+1}$$

- Or, another helpful characterization would be:

$$C_t = c_0 + c_1 Y^D_t + c_4 Y^D_{t-1} + c_5 d_t TW$$

- Assuming a given interest rate and prices;
  - Fixed effects (current and future incomes and interest rate) are showing up in the intercept;
  - The changes from last year are what motivate the changes in consumption (the PIH).
- In the long-run (steady-state),  $Y^D_t = Y^D_{t-1}$  and  $d_t TW = \kappa Y^D_t$ , therefore:

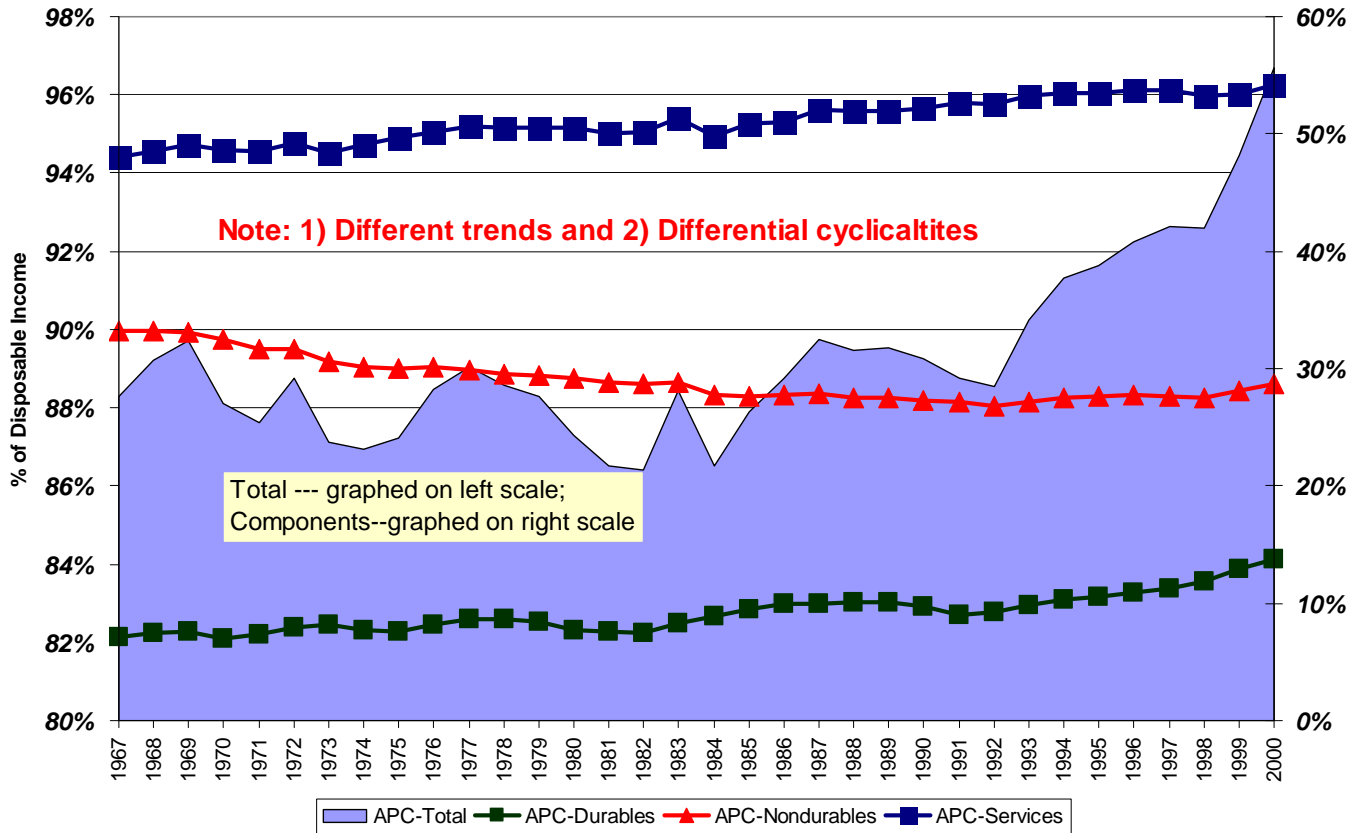
$$C = c_0 + (c_1 + c_4 + c_5 \kappa) Y^D$$

- In the long-run (steady-state),  $Y_t^D = Y_{t-1}^D$  and  $\Delta_t TW = \kappa Y_t^D$ , therefore:

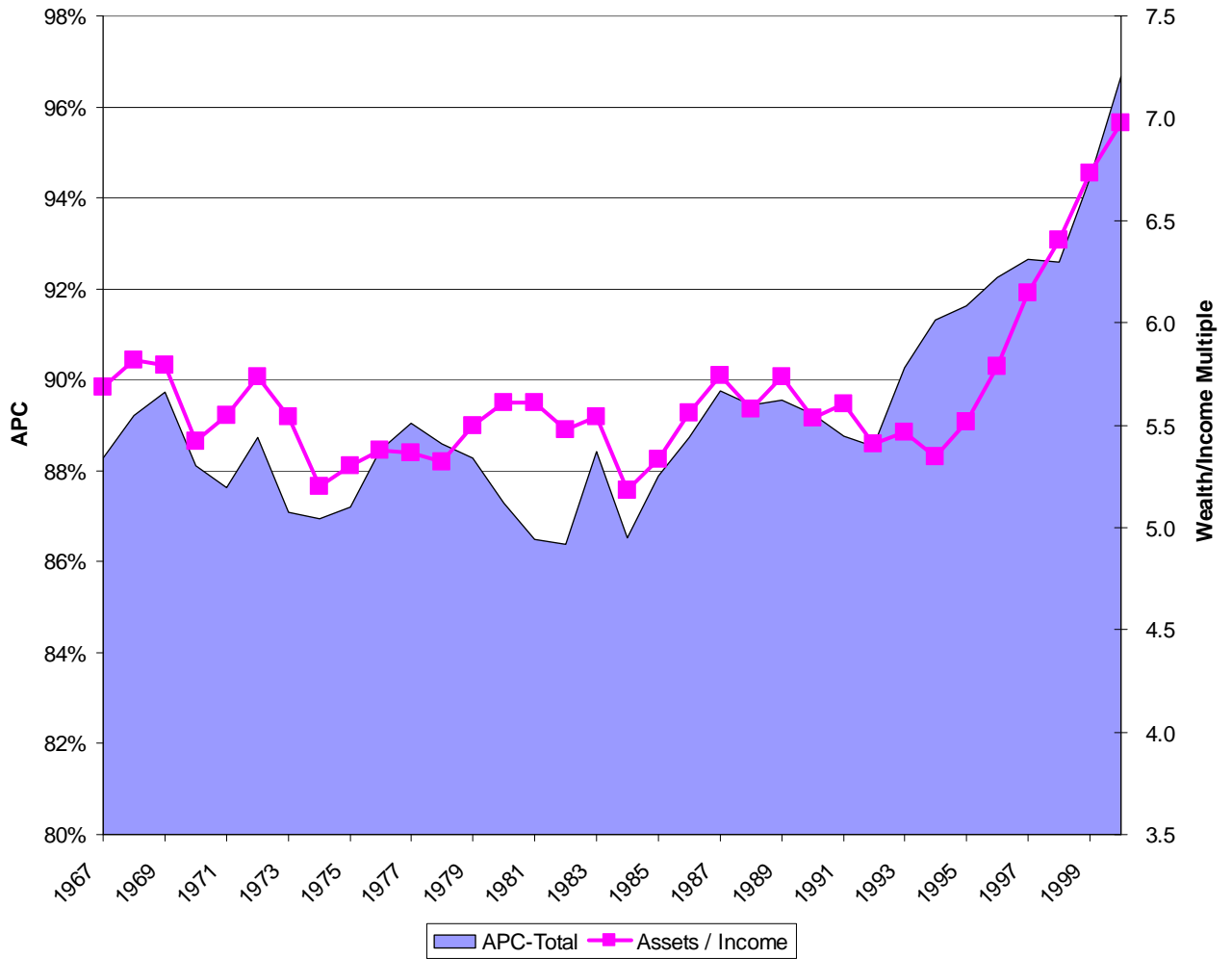
$$C = c_0 + (c_1 + c_4 + c_5 \kappa) Y^D$$

- Therefore, we can define two different Propensities to Consume:
  - **Average Propensity to Consume (APC):** Level of Consumer Spending / Level of Disposable income -  $C_t / Y_t^D (\equiv c_0 / Y^D + MPC)$
  - **Marginal Propensity to Consume (MPC):** *for any specific time interval = Absolute change in spending / Absolute change in disposal income* -  $d_t C / d_t Y^D (\equiv c_1$  for the short run, and  $\equiv c_1 + c_4 + c_5 \kappa$  for the long run).
  - **Elasticity of Consumption ( $\eta_{C,Y}$ ):** Percentage change in spending / Percentage change in disposal income ( $\equiv RC / RY = [dC / \Delta Y] / [C / Y] = MPC / APC$ ).
- So if “autonomous consumption  $\equiv c_0$ ” is small enough, then the **long-run MPC=APC**, and therefore, **the LR elasticity is approximately 1**.
- In the “Long-Run”, both APC and MPC appear to be close to 95% for the US in the postwar period.

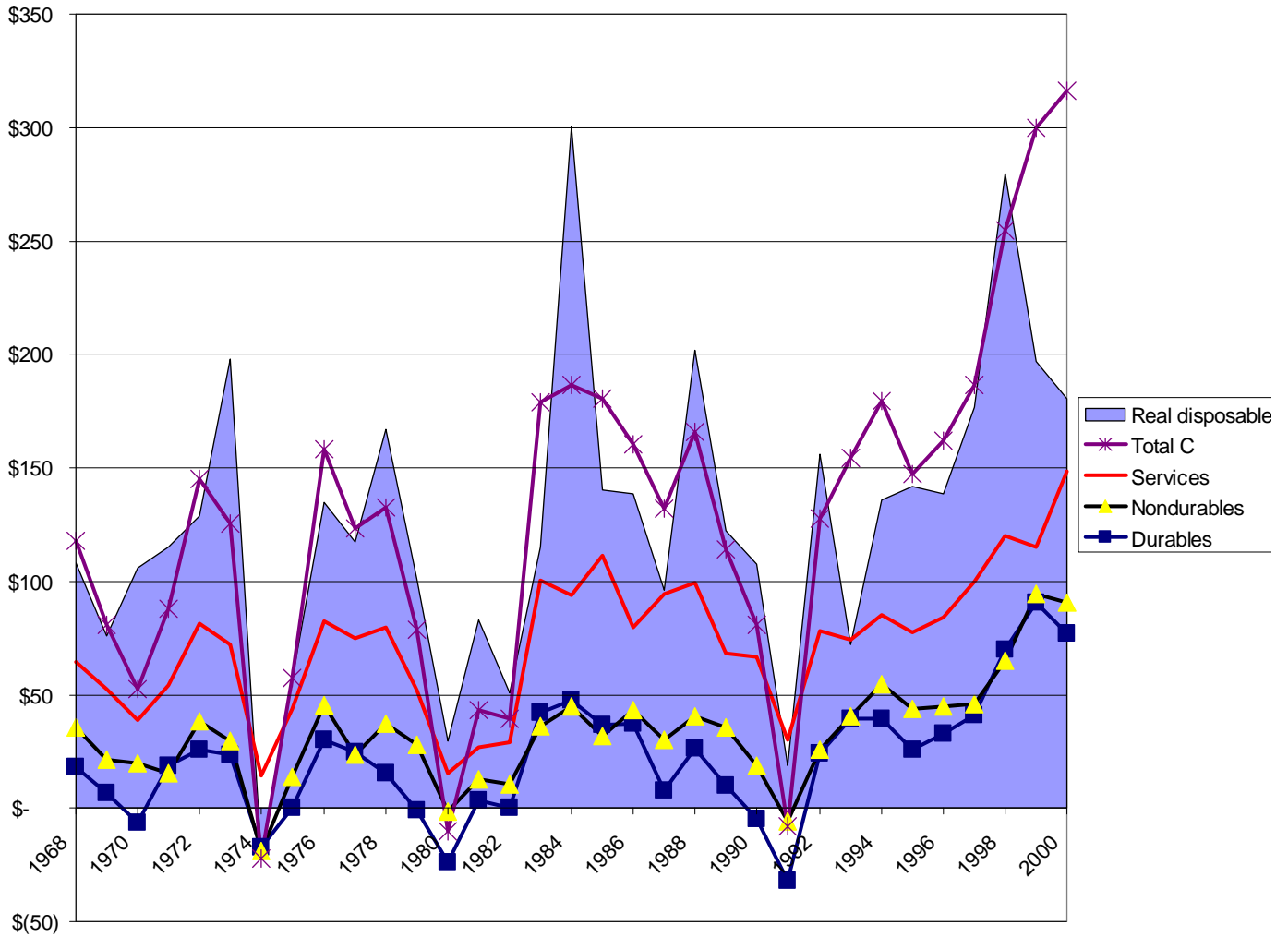
### Average Propensities to Consume



**Obvious Wealth Effects:  
APC charted versus Wealth/Income Ratio**



MPCs : Annual Changes in C and YD



- Durables are less volatile than income
- Durables are less volatile than non-durables