

## **Some terms that must be understood**

Microscopic Variable

Macroscopic Variable

Extensive ( $\propto N$ )

$V$  volume

$A$  area

$L$  length

$\mathcal{P}$  polarization

$M$  magnetization

.....

$U$  internal energy

Intensive ( $\neq f(N)$ )

$P$  pressure

$\mathcal{S}$  surface tension

$\mathcal{F}$  tension

$\mathcal{E}$  electric field

$H$  magnetic field

.....

$T$  temperature

Adiabatic Walls

Diathermic Walls

Equilibrium

Steady State

Complete Specification:

Independent and Dependent Variables

Equation of State

$$PV = NkT$$

$$V = V_0(1 + \alpha T - \mathcal{K}_T P)$$

$$M = cH/(T - T_0) \quad T > T_0$$

In Equilibrium with Each Other

# OBSERVATIONAL FACTS

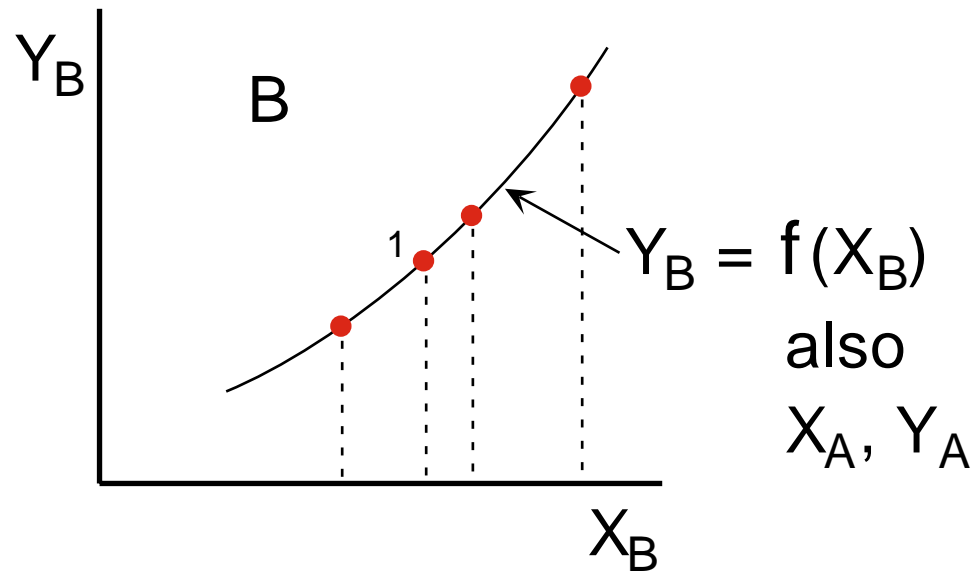
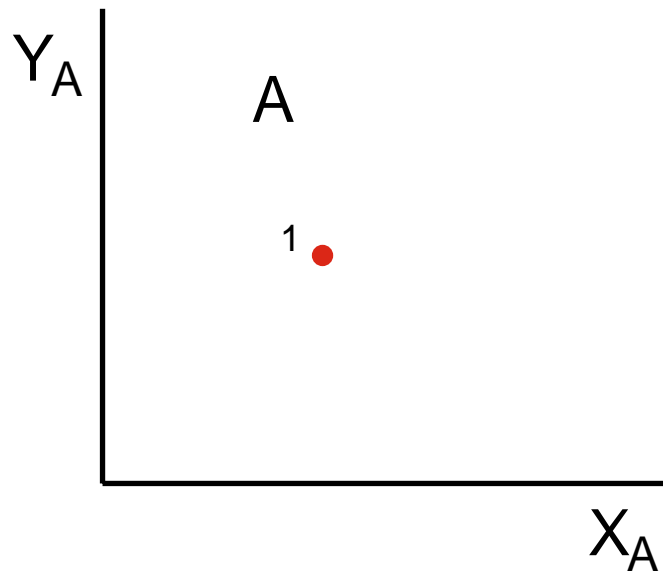
"0<sup>th</sup> Law"

if A  $\overset{\text{equilibrium}}{\rightleftharpoons}$  C

and B  $\overset{\text{equilibrium}}{\rightleftharpoons}$  C

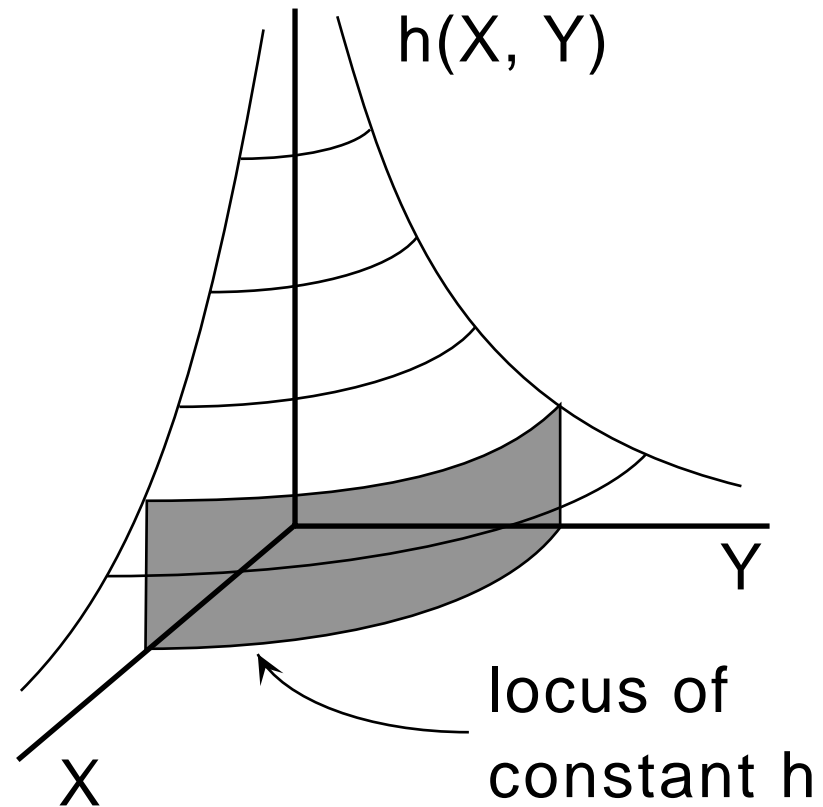
then A  $\overset{\text{equilibrium}}{\rightleftharpoons}$  B

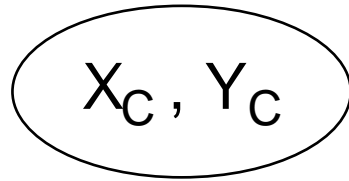
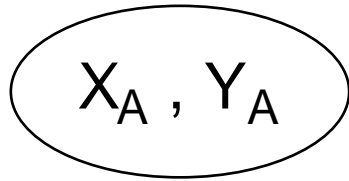
" Law 0.5 ? " Many macroscopic states of B can be in equilibrium with a given state of A



THEOREM A "predictor" of equilibrium  $h(X, Y, \dots)$  exists

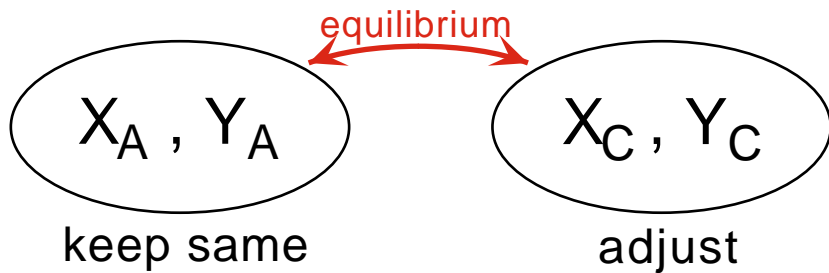
- only in equilibrium
- state variable
- many states, same  $h$
- different systems,  
different functional forms
- value the same if  
systems in equilibrium





$X_A, Y_A, X_C, Y_C$  all free

$[P_A, V_A, P_C, V_C]$

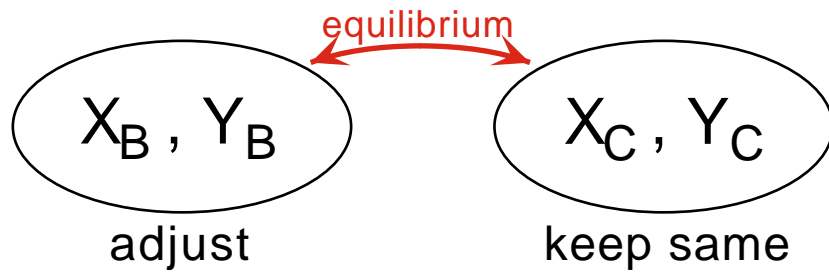


$$X_C = f_1(Y_C, X_A, Y_A)$$

$$F_1(X_C, Y_C, X_A, Y_A) = 0$$

$$[P_C = P_A V_A / V_C]$$

$$[P_C V_C - P_A V_A = 0]$$



$$X_B = g(Y_B, X_C, Y_C)$$

$$[ P_B = P_C V_C / V_B ]$$

$$F_2(X_C, Y_C, X_B, Y_B) = 0$$

$$[ P_C V_C - P_B V_B = 0 ]$$

solve for  $X_C$

$$X_C = f_2(Y_C, X_B, Y_B)$$

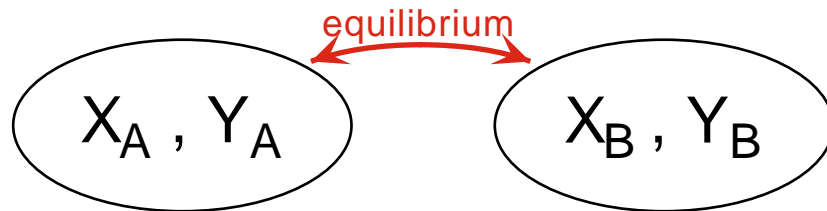
$$[ P_C = P_B V_B / V_C ]$$

same value as before

$$f_1(Y_C, X_A, Y_A) = X_C = f_2(Y_C, X_B, Y_B) \quad \textcircled{1}$$

$$[P_A V_A / V_C = P_B V_B / V_C]$$

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due to 0<sup>th</sup> law

$$\Rightarrow F_3(X_A, Y_A, X_B, Y_B) = 0 \quad \textcircled{2}$$

$$\textcircled{1} + \textcircled{2} \Rightarrow F_3 \text{ factors} \\ Y_C \text{ drops out}$$

For this equilibrium condition  
 $h( X_A , Y_A ) = \text{constant} = h( X_B , Y_B )$

$$[ P_A V_A = P_B V_B ]$$

