

## Class Exercise #26 1.050 Solid Mechanics Fall 2004

Here are 4 problems of the same type, drawn from past years' final exams.

- i) What do they have in common? What's different?
- ii) What must you know in order to do the common part of the problem?
- iii) Which is the most difficult problem? Why? Which is the easiest?
- iv) Formualte a new problem - a variation on the common theme - that I might assign on this year's final.

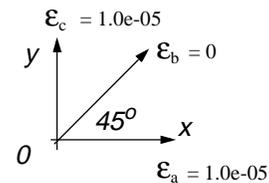
### 98 - Problem 4.

A student on last year's final exam, when asked to determine the state of strain at a point given the extensional strain values shown in the figure, reported that

$$\epsilon_x = 1.e - 05$$

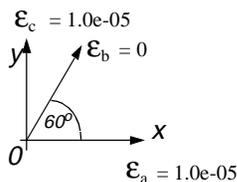
$$\gamma_{xy} = 0$$

$$\epsilon_y = 1.e - 05$$



then went on to say this represented a “hydrostatic” state of strain. What grade would you give the student on this problem? Justify.

### 00 - Problem 2.



Three strain gages are mounted in the directions shown on the surface of a thin plate. The values of the extensional strain each measures is also shown in the figure.

2a) Determine the shear strain component  $\gamma_{xy}$  at the point with respect to the  $xy$  axes shown.

2b) What orientation of axes gives extreme values for the extensional strain components at the point.

2c) What are these values.

**02 - Problem 3.**

A piece of chalk, a very brittle material, is thought to fracture in tension at a stress of 400 psi.

Estimate the diameter of the ordinary, cylindrical piece of chalk.

Estimate the tensile load you must apply *in the direction of the axis* of the cylinder to break the chalk.

Estimate the torque you must apply *about the axis* of the cylinder to break the chalk



**03-Problem 2**

The figure at the right shows a Mohr's circle representation of the transformation of a two dimensional state of stress.

Show the approximate relative magnitudes and directions of the components of stress acting on the x and y faces, i.e, as arrows on a square as shown in the lower right corner.

What rotation of axis, again approximately, will orient the  $x'y'$  faces and show maximum and minimum normal stress components? What are the approximate values of those "principle stresses" relative to the original normal stress component acting on the x face.

