### 14.54 International Trade — Lecture 4: Exchange Economies—

- Basic Setup of Endowment Economy
- Autarky Equilibrium
- Small Open Economy
- Two Country Equilibrium

The small graphs on slides 10-17, 22, 23, 26-30, and 32 -34 are courtesy of Marc Melitz. Used with permission.

#### Motivation

- We initially study an exchange economy where the production levels are fixed
  - Goods can be traded, but production levels can not adjust
- How unreasonable an assumption is this?
  - Not too unreasonable for an analysis of trade in the very short run (less than a few years)
  - Within this time frame, all factors of production are fixed (allocated to the production of a particular good)
  - Moving these factors of production across sectors to produce different goods take time
  - Consumer demand, however, can react much more quickly to a change in prices
- Of course, an assumption of fixed production would not be valid for an analysis over a longer time frame
  - Then, production levels would respond to changes in prices
  - We will study this in the next section of the course

#### For now GM workers cannot start looking for another job...



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### ... but U.S. consumers can buy Japanese cars



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- Back to two goods: C and F
- A country can produce a fixed amount of C and F, which can be considered an endowment E = (E<sub>C</sub>, E<sub>F</sub>)
- Assume that all consumers share the same homothetic preferences
  - $\bullet\,$  ... So aggregate demand is generated by a consumer with those same preferences who owns the aggregate endowment  ${\bf E}$
- If the country is open to trade, then consumers can trade C and F on world market at an international relative price  $p^T = p_C^T / p_F^T$

#### • $p^T = p_C^T / p_F^T$ is often referred to as the country's terms of trade

- However, the accepted convention for a country's terms of trade is that the price of the exported good (or average price of exported goods) is expressed in the numerator
- ... and the price of the imported good in the denominator
- So if a country exports F then its terms of trade would be  $1/p^T = p_F^T/p_C^T$
- To avoid confusion, will always write relative prices with C in the numerator

- Important note: a country's terms of trade is a very different concept from a country's exchange rate
- An exchange rate is the price of one country's currency in terms of another country currency
- All else equal, a depreciation of the U.S. dollar (a rise in the U.S. dollar prices of foreign currencies)
  - $\bullet\,$  Raises the relative price of foreign goods in the United States  $\Rightarrow\,$  Lower volume of U.S. imports
  - Lowers the relative price of U.S. exports prices abroad⇒ Higher volume of U.S. exports

- A country's exchange rate affects the balance of trade or net flows: exports and imports move in opposite directions
- A country's terms of trade affects the volume of trade or gross flows: exports and imports move in the same direction
- In this course, we will abstract from exchange rate movements and assume that trade is balanced: net flows are equal to zero

- **Definition:** A country is in autarky when it is completely closed to international trade
- In this equilibrium, a country must consume (in the aggregate) its endowment and achieves utility level  $U^A$



 The MRS at E represents the equilibrium relative price of C and F in autarky

#### Autarky Equilibrium: Relative Supply and Demand

• One can also think of the equilibrium relative price as determined by relative supply and demand



 We will also show that, in a closed economy with many consumers (with the same homothetic preferences but different endowments), MRS<sup>E</sup> is the equilibrium trade price between these consumers • Now assume that this economy opens up to international trade at a given world relative price  $p^T = p_C^T / p_F^T$ 



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### Small Open Economy (Cont.)

- Case 2:  $p^T < MRS^E$ 
  - Do gains from trade depend on ranking of  $p^T$  and  $MRS^E$ ?



- No! All the points in the new shaded area also represent higher welfare than in autarky
  - All those points represent selling (exporting) *F* and buying (importing) *C*

• Given a world trade price  $p^{T}$ , how are trade volumes determined?



• Hwk: redraw graph for case where  $p^T < MRS^E$ 

- Now introduce another country (home and foreign)
- Can we find a trade price such that both countries agree to trade with one-another?
  - ... and gain from such trade?
- Assume that there are no trade restrictions so that consumers in both countries face the same trade price  $p^T$

- For this example, assume that  $MRS^E < MRS^{E^*}$
- Is  $p^T > MRS^{E^*}$  a possible equilibrium trade price?
  - No! Both countries would want to export C
- Is  $p^T < MRS^E$  a possible equilibrium trade price?
  - No! Both countries would want to export F
- Is  $MRS^E < p^T < MRS^{E^*}$  a possible equilibrium price?
  - Yes! Home exports C and Foreign exports F
  - Both countries must gain from trade at any price in that range

- What happens if  $MRS^E = MRS^{E^*}$ ?
  - There is no reason to trade
- Why will  $MRS^E \neq MRS^{E^*}$ ?
- Countries have similar preferences but different endowments
  - Endowments must be different in the sense that  $E_C/E_F \neq E_C^*/E_F^*$  (Why?)
- Countries have similar endowments but different preferences
  - Less likely to occur in the context of country trade
  - Example: POW camps and Red Cross packages

- **Definition:** A country has a comparative advantage in a good if its relative price (before trade) is lower than the world relative price
- Law of comparative advantage: A country will export goods in which it has a comparative advantage

# Differences in Country Endowments as a Source of Comparative Advantage

- Assume same (homothetic) preferences in both countries so that only endowments differ across countries
- Endowments then determine *MRS* in autarky and hence also determined the pattern of comparative advantage



#### Country Endowments and Comparative Advantage



• If  $E_C/E_F > E_C^*/E_F^*$  then Home has a comparative advantage in C

- ... and Foreign has a comparative advantage in F
- Thus, Home will export C and import F
- Note that comparative advantage is not determined by the absolute size of countries (endowments) but by the relative endowments
- $E_C/E_F > E_C^*/E_F^*$  implies that C is relatively abundant in Home (relative to foreign) and that F is relatively scarce
- If  $E_C/E_F = E_C^*/E_F^*$  then there is no motive for trade

- When consumers all share the same homothetic preferences (no difference in tastes across countries) then a country will have a comparative advantage in its relatively abundant good
- It will export this good

#### Determination of the Equilibrium Trade Price

- Consider first the case where consumers share the same homothetic preferences
- Since countries face the same world trade price  $p^T = p_C^T / p_F^T$ , consumers everywhere will consume  $D_C$  and  $D_F$  in the same proportions:  $D_C / D_F = RD(p^T)$
- So world relative demand is also given by  $RD(p^T)$ :

$$\frac{D_{C}^{W}}{D_{F}^{W}} = \frac{D_{C} + D_{C}^{*}}{D_{F} + D_{F}^{*}} = RD(p^{T})$$

• On the supply side, the world relative supply is fixed (just like the relative supplies in each country)

$$\frac{E_C^W}{E_F^W} = \frac{E_C + E_C^*}{E_F + E_F^*}$$

• The world equilibrium trade price  $p^T$  must solve  $RD(p^T) = \frac{E_C^W}{E_F^W}$ 

#### Determination of the Equilibrium Trade Price (Cont.)



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• Can also verify that  $MRS^E < p^T < MRS^{E^*}$ :

$$\frac{E_C}{E_F} > \frac{E_C^*}{E_F^*} \Rightarrow \frac{E_C}{E_F} > \frac{E_C^W}{E_F^W} = \frac{E_C + E_C^*}{E_F + E_F^*} > \frac{E_C^*}{E_F^*}$$

#### Aside: The Equilibrium Trade Price in a Closed Economy



- Note that the equilibrium trade price  $p_C^T/p_F^T$  is also the *MRS* of a consumer who consumes the world aggregate endowment  $E_C^W/E_F^W$
- Can also apply this to the equilibrium with trade in a closed economy where consumers own different endowments
- This shows that the autarky equilibrium trade price  $p^A$  will be the MRS of a consumer who consumes the country aggregate endowment  $E_C/E_F$

## Determination of the Equilibrium Trade Price: Different Preferences Across Countries

- Now consider the case where consumers in each country have different preferences
- For aggregation purposes, assume that all consumers in each country have the same homothetic preferences
- So aggregate demand in each country can still be represented by a single relative demand curve (independent of endowments):



## Different Preferences Across Countries: World Relative Demand

- One can still calculate a world relative demand curve:  $(D_C + D_C^*)/(D_F + D_F^*)$  as a function of the world trade price  $p^T$
- Given the endowments E and E\* and country preferences, one can calculate D = (D<sub>C</sub>, D<sub>F</sub>) and D\* = (D<sup>\*</sup><sub>C</sub>, D<sup>\*</sup><sub>F</sub>) as function of any trade price p<sup>T</sup>



# Different Preferences Across Countries: World Relative Demand (Cont.)

• From  $\mathbf{D} = (D_C, D_F)$  and  $\mathbf{D}^* = (D_C^*, D_F^*)$  as function of  $p^T$ , one obtains

$$\frac{D_C^W}{D_F^W} = \frac{D_C + D_C^*}{D_F + D_F^*} = RD(p^T)$$

- Note that, unlike the case of common homothetic preferences across countries, this world relative demand curve will now depend on the endowments E and E\*
- Also,  $(D_C + D_C^\ast)/(D_F + D_F^\ast)$  must always be between  $D_C/D_F$  and  $D_C^\ast/D_F^\ast$

# Different Preferences Across Countries: World Relative Demand (Cont.)



# Different Preferences Across Countries: World Relative Demand (Cont.)



• Once  $RD^W$  is constructed, equilibrium trade price is given once again by intersection of  $RS^W$  and  $RD^W$ 



• Technical note:  $RD^W$  is not necessarily downward sloping everywhere (very unlikely, and will ignore this special case)

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