
Class #13: Risk 1

“Cost of Capital”

Road Map: Where do things fit?

- Valuation Fundamentals:
 - DCF Analysis
 - Comparative Analysis
 - Abnormal Earnings Valuation
 - Cash Flow Analysis
- Where Now?
 - Properly calculating cost of capital:
 - Equity (CAPM, 3-Factor Model, Implied Cost of Capital)
 - Cost of Capital: International Companies
 - Debt
 - Enterprise

Approaches to Calculating Equity Cost of Capital (Discount Rate)

- CAPM – based on historical information
 - What if risk has changed?
 - Recent change in capital structure?
- Application:
 - Discounting the cash flows (earnings) available to equityholders.
 - Which cashflows? Answer: The FCF's after all other parties have been paid (lenders, taxes, etc)

Calculation of CAPM discount rate

- CAPM: $E(R) = R_f + \beta^*(R_m - R_f)$
 - Expected return is increasing in systematic risk!
 - What is “Beta”?
 - $\text{Cov}(R_{\text{stock}}, R_{\text{market}} - R_f) / \text{Var}(R_{\text{market}} - R_f)$
 - Usually = $\text{Cov}(R_{\text{stock}}, R_{\text{market}}) / \text{Var}(R_{\text{market}})$
 - Think of it as “Co-wiggling”
- According to this model, why does the systematic risk only matter?

Where do we get the information?

- Where do we get Beta?
 - KEY ISSUE! This is an estimate from historical data
 - Estimation period is typically 60 months
 - Why not longer? Why not shorter?
 - Sources: Bloomberg, Analysts, Yahoo! Finance, or estimate it yourself!
- Where do we get R_F ?
 - Federal Reserve Bank of St. Louis:
research.stlouisfed.org/fred/data/irates.html

Example of CAPM Calculation:

- What is Equity Cost of Capital for Microsoft?
 - Beta = 1.49
 - $R_f = 4.87\%$ (20 year treasury bond)
 - $(R_m - R_f) = 7.95\%$
 - $$E(R) = R_f + \beta^*(R_m - R_f)$$
$$= 4.87\% + 1.49*(7.95\%)$$
$$= 16.7\%$$

Is the CAPM correct?

- Facts: Even after accounting for Beta risk:
 - Small stocks tend to have higher returns than big stocks.
 - Firms with high **B/M** ratios have higher returns.
- Maybe the CAPM is a not perfect model:
 - Other sources of risk beyond single risk factor?
 - Maybe small stocks have greater systematic risk?
 - Is there a “size risk factor”?
 - Are firms that are near financial distress riskier?
 - Is there a financial distress factor?

The Fama-French 3-factor model

- Origins:
 - Fama and French, 1993, “Common Risk Factors in the Returns on Stocks and Bonds,” *Journal of Financial Economics*, for a complete description.
- An “extension” of the CAPM:
 - $R_{\text{stock}} = R_f + \beta^*(R_m - R_f) + \beta_{\text{SIZE}}^*(R_{\text{SMB}}) + \beta_{\text{BM}}^*(R_{\text{HML}})$
 - Every stock has different market β , β_{SIZE} , β_{BM}
- Where do we get $(R_m - R_f)$, R_{SMB} , R_{HML} ?
 - Homepage of Professor Ken French:
 - http://mba.tuck.dartmouth.edu/pages/faculty/ken.french/data_library.html

Fama-French Factor Returns

- What are long-run average values of these factors?
- Long-run average $(R_m - R_f) = \underline{7.95\% \text{ per year}}$
- Long-run average $R_{SMB} = \underline{3.32\% \text{ per year}}$
- Long-run average $R_{HML} = \underline{5.05\% \text{ per year}}$

Example Calculation of 3-factor Cost of Capital

- Microsoft:

- Market Beta = 0.98
- Size Beta = -0.40 (!)
- HML Beta = -1.24 (!)

- $$\begin{aligned} R_{\text{stock}} &= R_f + \beta^*(R_m - R_f) + \beta_{\text{SIZE}}^*(R_{\text{SMB}}) + \beta_{\text{BM}}^*(R_{\text{HML}}) \\ &= 4.87\% + 0.98 * 7.95\% + (-0.4) * 3.32\% + \\ &\quad (-1.24) * 5.05\% \\ &= \underline{5.1\%} \text{ !!!!!} \end{aligned}$$

Implied Cost of Capital

- Let's assume that the stock market has set the stock price correctly.
- Can we use this price information (plus information about future cashflows/earnings) to obtain an estimate of the “implied” cost of equity capital?
- Use Discounted FCF formula:
 - $P_0 = CF_1/(1+r) + CF_2/(1+r)^2 + CF_3/[(r-g)(1+r)^2]$

Example of Implied Cost of Capital Calculation

- Microsoft:
 - Earnings per share 2003: \$1.02/share
 - Earnings per share 2004: \$1.08/share
 - 5-year growth rate: 15%
 - Current Stock Price = \$24.25/share
 - Use standard DCF model (see handout):
 - $P_0 = CF_1/(1+r) + CF_2/(1+r)^2 + CF_3/[(r-g)(1+r)^2]$

Example of Implied Cost of Capital Calculation:

- Can also use the Residual Income Valuation Model (EBO Model, abnormal earnings model)
 - $P_0 = BV_0 + AE_1/(1+r) + AE_2/(1+r)^2 + \dots$
 - Key is the terminal value

International Cost of Capital Models

- World CAPM or Multifactor Model (Sharpe-Ross)
 - World CAPM:
 - $R_{\text{stock}} - R_f = \beta^*(R_{\text{world}} - R_f)$
 - R_{world} is a world index (ie MSCI World Index), β uses R_{world}
- Segmented/Integrated CAPM (Bekaert-Harvey)
- Credit Rating (Erb-Harvey-Viskanta)
- Country Spread Model

International Cost of Capital: Segmented/Integrated CAPM

- Developed by Bekaert and Harvey (1995)
 - If country's stock market is integrated with rest of world, then World CAPM holds:
 - $R_{\text{stock}} - R_f = \beta^*(R_{\text{world}} - R_f)$
 - R_{world} is a world index (ie Morgan Stanley Capital World Index)
 - <http://www.msci.com/equity/index.html>
 - β calculation is based on uses R_{world}
 - If country's stock market is segmented from the rest of world, then local CAPM holds:
 - $R_{\text{stock}} - R_f = \beta^*(R_{\text{country}} - R_f)$
 - R_{country} is a country's stock index, β uses R_{country}
 - If country is going through process of integration, a combination of two holds.

International Cost of Capital: Segmented/Integrated CAPM

- Expected return is related to both covariance with world and local indices
- Weights (world versus local beta) determined by proxy for degree of integration (like size of trade sector & ratio of stock market capitalization to total GDP)
- Downside:
 - Hard to implement
 - Only appropriate for countries with equity markets.

International Cost of Capital: Credit Rating Model

- **Developed by Erb, Harvey, and Viskanta**
- **Uses country credit rating as a measure of systematic risk:**
 - “*Institutional Investor*” magazine has rankings of country credit risk on scale of 0-100.
 - Run regression: $R_{\text{country}} = \alpha + \beta * \text{Risk Rank}$
 - Estimate “average” cost-of capital in each country.
 - Can use in 136 countries (even countries without equity markets).
 - Impressive fit to the data.
- **Assumes country credit rating is a good measure of risk**
 - Political risk, expropriation risk, exchange rate controls and volatility, etc.

International Cost of Capital: Country Spread Model (Goldman Model)

- **Can be used for individual stocks**

- **Steps:**

- Estimate foreign company beta by regressing

$$R_{\text{stock}} = \alpha + \beta * R_M$$

(where R_M is return on S&P500 - standard CAPM)

- Then, calculate predicted cost of capital using a modified CAPM:

$$R_{\text{stock}} = r_f + \beta * (\text{U.S. equity premium}) + \text{SYS}$$

where: U.S. Equity premium is historical ($R_M - R_f$)

SYS is the country's Sovereign Yield Spread

- Sovereign Yield Spread is difference between country's government bond yield (bonds denominated in U.S. dollars) and U.S. treasury bond yield.

Where Next

- No Class this Thursday, April 3.
- Assignment #2 will be handed out next Tuesday
 - Direct calculations of cost of capital for your project company (part 2) using various methods
- Next Class: Accounting Trading Strategies