#### Policy Choices on Space Systems

# Definition of Policy

#### • Policy

- " A definite course or method of action selected from among alternatives and in light of given conditions to guide and determine present and future directions."
- Thus policy statements can be parsed in the following way
- Policy statements have several features associated with them:
  - definite course(s)
  - selected from alternatives
  - true in light of specific conditions  $\rightarrow$  a model of the world
  - to move one in specific (desired) directions→ a model of the world

#### **Definition of Policy**

·A simple model constraints or specific conditions boundares of technology + desired future state coincident with a desirable world view C F current state boundaries of law ent possible paths differ

#### Heuristics

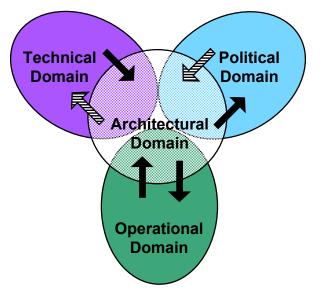
**Forman's Heuristic #1**: If the politics don't fly, the system never will.

**Forman's Heuristic #2**: Politics, not technology, sets the limits of what technology is allowed to achieve.

Forman's Heuristic #3: A strong, coherent constituency is essential.

**Forman's Heuristic #4**: *Technical problems become political problems; there is no such thing as a purely technical problem.* 

**Forman's Heuristic #5**: With few exceptions, schedule delays are accepted grudgingly; cost overruns are not.

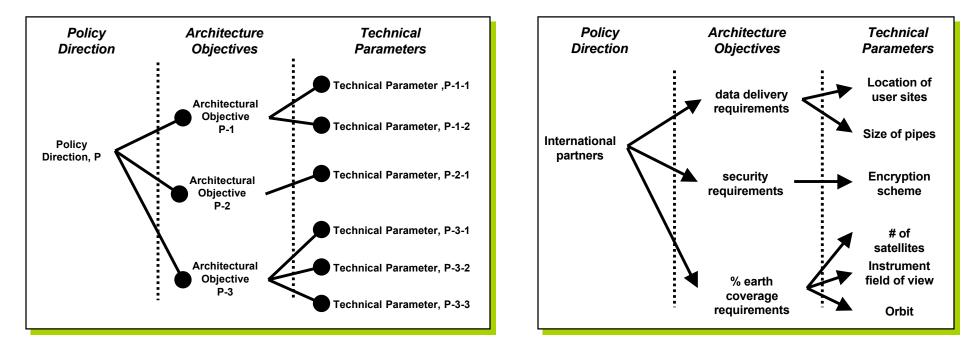


#### Policy Impact on System Architecture

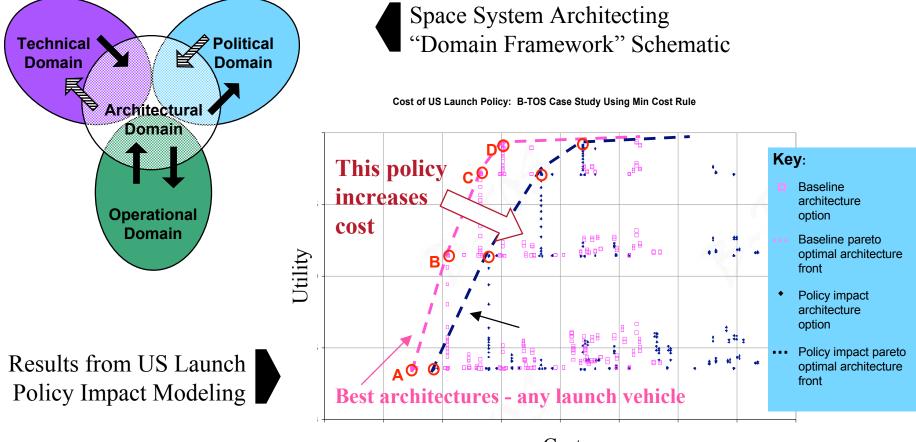
- Understand policy impacts at early (architecture) stages
- Framework shows flowdown to technical domain

Generic Flow of Policy Impacts into Technical Domain

Discoverer II Example (Space-based GMTI mission)



#### Policy Impact on System Architecture

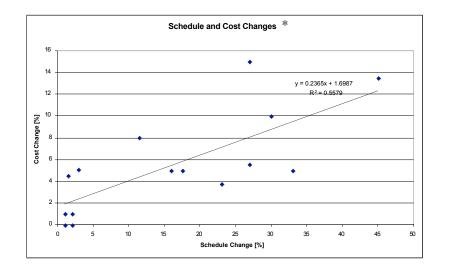


Cost

**Discussions with senior officials indicate most common policy intervention is budget adjustment** 

#### Cost-capping policy intervention

- Cost-capping government program expenditures is most frequently reported government policy intervention
  - Annual program budget capped by Congress
  - Capping stretches out program duration and increases total program costs as a result
- Historical examples provide basis for relationship between schedule extension and cost growth

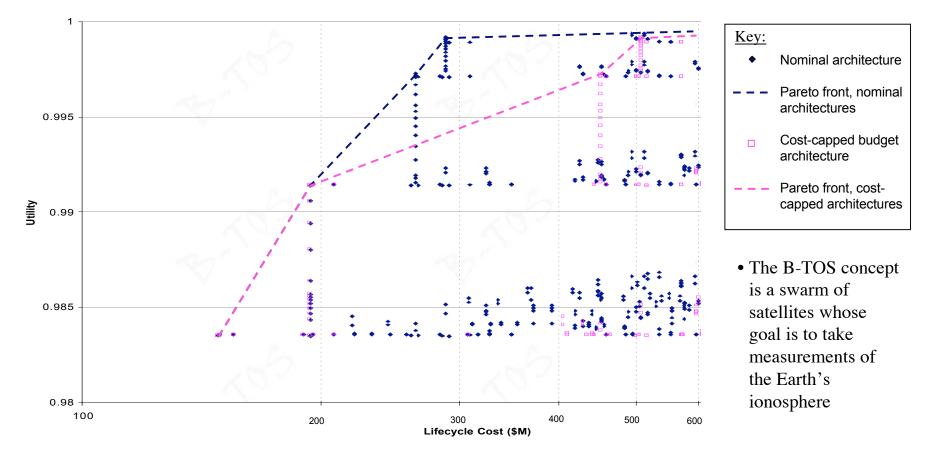


Schedule extension and resulting cost change relationship: c = 0.24s + 1.7where c = % cost change, and s = % schedule change

\* Data adapted from Augustine, Norman R. Augustine's Laws, New York: Viking Penguin Inc., 1986

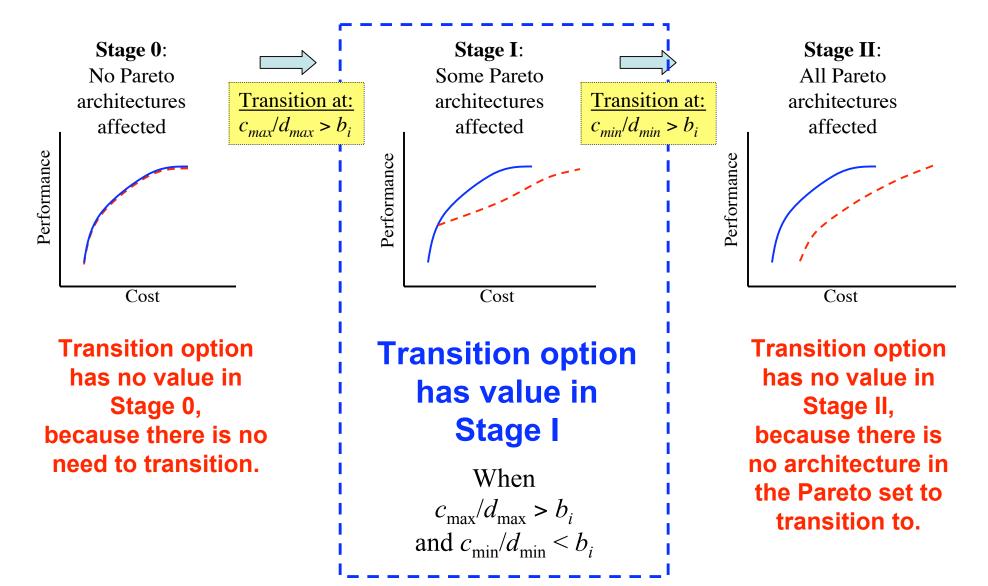
#### Cost-capping on B-TOS architecture study

Policy Intervention: \$35M annual program budget cap imposed by Congress

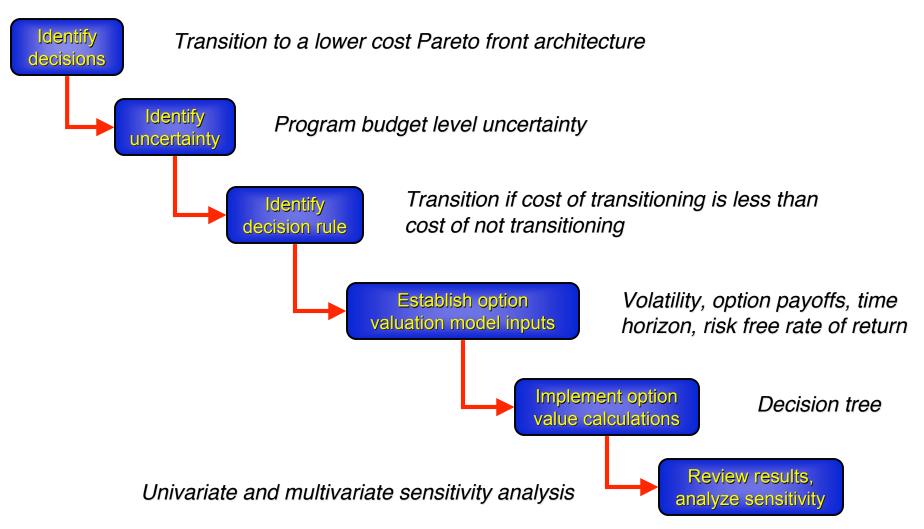


Cost-capping policy pushes architecture tradespace pareto front to the right

#### Boundary of Option Value



# Steps in Real Options Analysis



# Designing for Budget Policy

Goal of analysis: Use real options analysis to measure value of designing architecture to accommodate budget policy instability

#### • Scenario

- Future budget levels are uncertain
- Pursue initial architecture choice
- When budget is cut, program manager may want to transition to a new, lower budget architecture
- What is the value of a transition architecture option, which provides insurance against budget policy instability and makes a program more policy robust?
- Real options useful for valuing projects under uncertainty

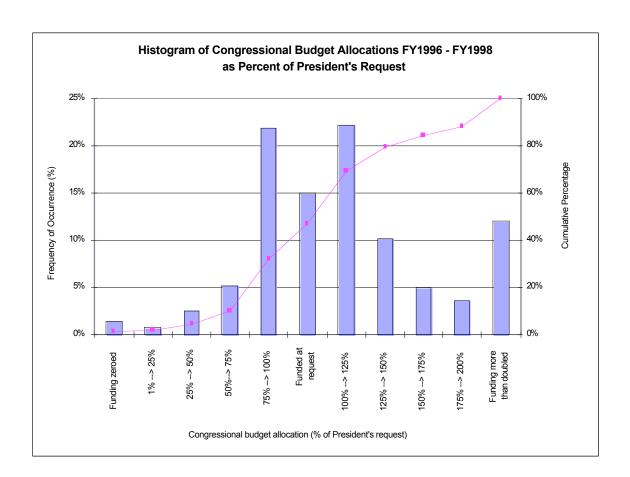
# Measuring Volatility

Use historical DoD budget reduction data for basis of volatility (FY1996-98)

Insights:

- 15% probability get requested budget
- 53% probability get increase
- 32% probability get budget cut

Degree of budget cut follows exponential distribution with  $\lambda$ = 4.65



# B-TOS Transition Option: investing in upfront work on "fallback" system

- Expectation of maximum transition option value calculated with the following assumptions:
  - Five B-TOS Pareto frontier architectures are the architecture set
  - Risk free rate of return, r = 5% Time to exercise option, t = 3 years
  - Volatility of budget cuts follows exponential approximation of historical observed budget cuts with  $\lambda = 4.65$ , and  $1/\lambda = p_c = 0.32$

Expectation of maximum transition option value =  $p_c * \Delta c_x / e^{-rt}$ where  $\Delta c = c_i [0.24(c_i/b_i d_i - 1) + .017]$ 

| Expectation of maximum transition option value: | in \$M | As % of spacecraft<br>budget |
|---|--------|------------------------------|
| For Architecture E                              | 7.4    | 3.1%                         |
| For Architecture D                              | 3.9    | 3.1%                         |
| For Architecture C                              | 3.4    | 3.1%                         |
| For Architecture B                              | 2.6    | 3.1%                         |
| For Architecture A                              | 0      | 0%                           |

By historical averages, a B-TOS transition option will have an expected value of 3% of total spacecraft budget