## 18.04 Recitation 11 Vishesh Jain

1.1. Find an LFT from the half-plane  $H_{\alpha} := \{(x, y): y > x \tan(\alpha)\}$  to the unit disc  $D_1$  centered at the origin.

1.2. Find a conformal map from the strip  $I_{\pi} := \{(x, y) : 0 < y < \pi\}$  to the upper half-plane *H*.

1.3. Find a conformal map from the upper semi-disc  $R_2 := \{(x, y) \in D_1 : y > 0\}$  to the upper half-plane *H*.

1.4. Find a conformal map from the "infinite well"  $W_{\pi} := \{(x, y) : 0 < y < \pi, x < 0\}$  to the upper half-plane.

2.1 Find the reflection of a point  $z_1$  in the x-axis.

2.2. Define the reflection  $r_C(z_2)$  of a point  $z_2$  in a circle *C* as follows. Let  $T_{CL}$  be an LFT mapping the circle *C* to a line *L*. Then,  $r_C(z_2) := T_{CL}^{-1}(r_L(T_{CL}(z_2)))$ , where  $r_L$  denotes reflection in the line *L*. Use this definition to find the reflection of a point  $z_2$  in the unit circle.

## 18.04 Complex Variables with Applications Spring 2018

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