## Comprehension questions

Problem 35.1. Romeo and Juliet start at the points $(0,1)$ and $(1,1)$ on the hyperbolic plane, and walk towards each other at speed 1, aiming to meet at soon as possible. Where will they meet, and after how much time?

Problem 35.2. Look at a hyperbolic circle centered at ( 0,1 ), with radius $1 / 100,1 / 10,1,10,100$; be careful to understand these data in the hyperbolic sense. What is the area of the (inside of the) circle? You should use a computer to carry out the integral (numerically); I want you to write down what you asked the computer to do, what the numbers were, and then to compare them to Euclidean geometry.

Problem 35.3. Do the same as in the previous problem, but for arclengths rather than areas.
Problem 35.4. There is a Gauss-Bonnet theorem for hyperbolic polygons (rather than just triangles), what does it say? Just the answer and some motivation is sufficient.

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