## Cornell University May 2009

## Economy and Embedded Exhaustification <br> Danny Fox and Benjamin Spector

Background: Putative cracks in the Neo-Gricean Framework (mostly reviewed in Cheirchia, Fox and Spector, in press; henceforth, CFS)

1. Obligatory implicatures (Cheirchia, Magri)
2. NPI licensing: Intervention effects in NPI licensing (Cheirchia, Gajewski, Homer)
3. Modularity: Evidence that implicatures are computed by a modular system encapsulated from various propositions we know to be true (Fox, Fox and Hackl, Magri, Singh)
4. Cummulativity: Implicatures of sentences in which numerals receive cumulative interpretations (Landman)
5. Free Choice Phenomena (Chemla, Fox, Klinedinst)
6. Embedded Implicatures (Chierchia, Cohen, Landman, Levinson, passim)

Question: Are there embedded implicatures?
As we will see: there is conflicting evidence.

## Proposal:

A. There are embedded implicatures. implicatures are derived by an operator exh, which, in principle, can be applied in any scope position (CFS, Fox, Landman, Sevi, and others). Hence, there have to be embedded implicatures.

Given this account, we will use a more transparent term, namely Embedded Exhaustification, EE.
B. Economy: EE is not always visible due to the effects of an economy condition which restricts application of exh.

## Problem \#1: The Relevance of Focus

Evidence in favor of embedded implicatures:
(1) John didn't do the reading OR the homework. He did both.

Evidence against embedded implicatures:
(2) \#John didn't do the reading or the homework. He did both.

## More specifically,

a. If there are embedded implicatures, why is (2) bad (a question raised most forcefully by Horn 1989)?
b. If there are no embedded implicatures, why is (1) good?
(a question raised by many: Cohen, Kempson, Levinson, passim)
The Implicature Focus Generalizations: implicatures can be embedded under a downward entailing (DE) operator only if the (relevant) scalar terms bear pitch accent. ${ }^{1}$

## Problem \#2: Gajewski and Sharvit’s Problem:

(3) a. John talked to Mary or Sue, or both.
b. *John didn't talk to Mary or Sue, or both

We will see that the acceptability of (3)a requires EE. But then why is (3)b bad?

## Problem \#3: Singh's Problem:

(4) a. John talked to Mary or Sue, or to both Mary and Sue.
b. *John taked to both Mary and Sue or to Mary or Sue

Similarly, why is (4)b bad?

## Structure:

1. Explain the nature of the arguments in CFS for EE based on sentences such as (3)(=(4)).
2. Present a simplified version of the Economy condition that deals with Singh's observations (problem \#3) and makes additional predictions.
3. Extend the condition to disallow EE in DE contexts, thus accounting for G\&S's problem (Problem \#2), with an additional prediction.
4. Discuss certain assumptions about the nature of scalar alternatives and their relationship to focus that will allow us to further extend the proposal to a solution of Problem \#1.

## 1. HC and EE (background)

(5) a. \#John was born in France or Paris.
b. \#I have a dog or a German Shepard.

[^0](6) Hurford's constraint (HC): a disjunction $p$ or $q$ is unacceptable when one of the disjuncts entails the other. ${ }^{2}$
But
(7)a. John talked to [Mary or Sue] or both.(Hurford 1974)
b. John did some or all of the homework.
c. John read 3 books or more.
(Gazdar 1979)

## Our Claim:

(8) EE is the culprit: The sentences in (7) must receive the parse in (7)', which does not violate HC.
(7)' a. $[\operatorname{Exh}(p \vee q)] \vee(p \wedge q)$
b. $[\operatorname{Exh}($ Some $)] \vee($ ALL $)$
c. $[\operatorname{Exh}($ Three $)] \vee($ more than 3$)$

Where
$\operatorname{Exh}(p \vee q) \equiv(p \vee q)] \wedge \neg(p \wedge q)$
$\operatorname{Exh}($ Some $) \equiv$ Some $\wedge \neg$ ALL
$\operatorname{Exh}($ Three $) \equiv$ Three $\wedge \neg$ More than three
If we are right, these are cases where implicatures are computed locally (i.e. cases of EE) without any pitch accent on the relevant scalar item.

Evidence that we are right: cases where the form of EE needed to obviate HC has global consequences for meaning and we argue that these consequences are correct (see CFS for details).

## 2. Basic Strategy for Singh and G\&S

(9) Singh's Asymmetry
a. John either talked to Mary or Sue or to both (Mary and Sue).
b. *John either talked to both Mary and Sue or to Mary or Sue.
(Singh 2007)

## (10) Gajewski \& Sharvit's restriction

*John didn't talk to Mary or Sue or to both.
(Gajewski and Sharvit 2007)
Basic Idea: Exh cannot appear in the position required for (9)b and (10) to obviate HC.

[^1](11) Ruled out by Economy
a. (p and q) or Exh(p or q)
b. $\neg[\operatorname{Exh}(p$ or $q)$ or ( $p \& q$ )]
(12) Ruled out by HC
a. (p and q) or (p or q)
b. $\neg[(p$ or $q)$ or $(p \& q)]$

## 3. An Economy Condition on Exh insertion (first version)

(13) Economy Condition: ${ }^{*}$ S(Exh(A)), if Exh is incrementally vacuous in S. (In a sense very close to that of Schlenker 2008)
(14) a. An occurrence of Exh is globally vacuous in a sentence $S$ if eliminating it doesn't change truth conditions, i.e., if $S(\operatorname{Exh}(\mathrm{~A}))$ is equivalent to $S(A)$
b. Exh which takes A as argument is incrementally vacuous in a sentence $S$ if Exh is globally vacuous for every continuation of $S$ at point A.
c. $S^{\prime}$ is a continuation of $S$ in point $A$ if $S^{\prime}$ can be derived from $S$ by replacement of constituents that follow A.
d. Y follows A if all the terminals of Y are pronounced after all the terminals of A.

## 4. The Singh Asymmetry

(15) The Hurford Case:
a1. [Exh(p or q)] or (p and q) VEconomy: Exh is not incrementally vacuous
a2. * (p or q) or (p and q) *Hurford's constraint
The Singh Case:
b1. *(p and q) or exh[(p or q)] *Economy: Exh is incrementally vacuous
b2. *(p and q)] or (p or q) *Hurford's constraint

### 4.1. On the reality of the effect (from Google)

(16) a. "some or many" 206,000 vs. "many or some" 11,400
b. "many or all" 573,000 vs. "all or many" 112,000

So there is a clear asymmetry in Singh's direction, but it doesn't seem to be absolute. We want to argue: the numbers are to be accounted for by an absolute constraint (Economy) which is obviated in certain environments.

In particular...
(17) "some or all" 494,000 vs. "all or some" 457,000

We hope to be able to make some sense of these numbers, once we examine some further predictions of our proposal

### 4.2. Further Predictions

The basic logic:

- Singh's asymmetry shows up because exh is globally vacuous in standard Hurford disjunctions.
- For this reason, there is an asymmetry between the first and the second disjunct: exh on the first disjunct is globally vacuous but not incrementally vacuous, whereas exh on the second disjunct is incrementally vacuous. (On a final constituent global and incremental vacuity are equivalent).
- But this is not a necessary property of entailing disjunct, as we will see.
- There are cases where one disjunct entails another yet exhaustifiying one is not globally vacuous. In such cases, it will not be incrementally vacuous on either of the disjuncts (because global non-vacuity entails incremental non-vacuity).
Singh's asymmetry should thus not hold.
We can thus construct cases where Exh is not incrementally vacuous even when it appears in a second disjunct and needed to obviate Hurford's constraint. We predict that such cases would be acceptable (in contrast to Singh, who designed a system where the asymmetry is a primitive).


### 4.2.1. Distant Entailing Disjunctions (DEDs)

(18) Ingredients:

Take two sentences $p$ and $q$, such that:
a. $q$ entails $p$
b. this entailment can be obviated by exhaustification: there is a way to strengthen $p$ by Exh, $S(p)$, such that $p$ doesn't entail $S(p)$
c. $q$ or $S(p)$ is stronger than ( $q$ or $p$ ).

Strengthening of $p$ by exh will be licensed by Economy (since it is not vacuous), $q$ or $p$ will receive the parse $q$ or $S(p)$, which will not violate HC:

ALL or Some
Did John do most of the homework? No. He did all of it or some of it.

Free Choice Effect in the second disjunct
(20) a. *John (either) did both the reading and the homework or the reading or the homework.
b. We are either required to do both the reading and the homework or we're required to do the reading or the homework.

Not (incrementally) vacuous because of the free choice effect:

$$
\begin{aligned}
& \text { Exh } \square(\mathrm{p} \vee \mathrm{q}) \Leftrightarrow \square(\mathrm{p} \vee \mathrm{q}) \wedge \neg \square \mathrm{p} \wedge \neg \square \mathrm{q} \\
& \text { Hence stronger than } \square(\mathrm{p} \vee \mathrm{q}) \& \neg \square(\mathrm{p} \wedge \mathrm{q}) \\
& \quad(\text { See: Fox, Sauerland, Spector, among others) }
\end{aligned}
$$

Exh in an embedded position within the second disjunct
(21) Either every student solved all of the problems, or every student solved most of the problems

Predicted to be fine, but only under the (a) parse for the second disjunct, in which exh is embedded under $\forall$ :
a. "...or every student solved exh(most) of the problems"
(entails uniformity among the students: either they all solved all of the problems, or none of them did)
Under this parse, Exh is not globally weakening, since it leads to the exclusion of situations in which some students solved all of the problems while others solved most but not all.
b. * ... or exh(every student solved most of the problems)

Exh is globally vacuous, hence locally vacuous because it occurs on the second disjunct

By contrast, reversing the disjunct should not necessarily carry the same entailment (since incremental non-vacuity is ensured on the first disjunct):
(22) Either every student solved most of the problems, or every student solved all of them

In this case, the following parse should be ok: exh(every student solved most of the problems) or every student solved all of thm

This is so because exh is not incrementally vacuous (though it is globally vacuous)

In other words, we predict (22), in contrast to (21), to be ambiguous.

### 4.2.2. Embedding under Matrix exh

Making use of Free Choice
(23) We are required to do all or some of the homework

This is predicted to be good under the parse: $\operatorname{Exh}(\square$ (all) or $\operatorname{Exh}($ some))
Under this parse, none of the instances of exh are globally vacuous. (Eliminate any instance of exh and you loose the Free Choice entailment $\neg \square[\operatorname{Exh}($ some $)]$.)

Similar Fact with Universal Quantifiers:
(24) a. *The student solved all or most of the problems.
b. Each student solved all or most of the problems
$\operatorname{Exh}(\forall x$ (ALL...x...) or Exh(Most...x...))
Possibly relevant examples from Google:
(25) A new Harris Poll finds a plurality of Americans want all or most abortions to be illegal
(26) What are all or some of the differences and similarities between Roman Architecture and Egyptian Architecture?
Similar to: Tell me all or some of the differences and similarities between Roman Architecture and Egyptian Architecture

## 5. Gajewski and Sharvit and version 2 of the Economy Condition

(27) $\quad \neg[\operatorname{Exh}(p$ or $q)$ or both $]$

Problem: Exh is not (incrementally) vacuous, although it is globally vacuous.
Proposal: exh cannot be incrementally weakening (a sentence with exh cannot be entailed (incrementally) by a sentence without exh).

Possible precedents: various strongest meaning hypotheses (work on reciprocals and plurality Dalrymple et. al., Winter, etc., Chierchia on implicatures)

Possible Functional Motivation (Fox 2007): The role of exh is to eliminate unwanted ignorance inferences derived by Gricean reasoning. If exh is weakening, it cannot eliminate ignorance inferences.
(28) Economy Condition: $*$ S(Exh(A)), if Exh is incrementally weakening in S.
(29) a. An occurrence of Exh is globally weakening in a sentence $S$ if eliminating it strengthens truth conditions, i.e., if $S(A)$ entails $S(\operatorname{Exh}(A))$.
(*special case when $S$ is equivalent to $S(\operatorname{Exh}(A))$; i.e. when exh is vacuous*)
b. Exh which takes A as argument is incrementally weakening in a sentence $S$ if Exh is globally weakening for every continuation of $S$ at point A.
c-d as before
This modification does not affect the results of the previous section, since in that section all of the cases of non-vacuity involved strengthening (hence, of course, non-weakening)..

Further Prediction: We can construct cases where Exh is not incrementally weakening even when it appears in the scope of a DE operator.
(30) a. *John didn’t hand in the first or second assignment or both.
b. Everyone who didn't hand in the first or second assignment or both failed the class.
(31) a. *I would go to the movies without John or Bill or both.
b. I wouldn't go to the movies without John or Bill or both.

But we will have additional predictions..
6. Towards a solution of Problem \#1: deriving The Implicature Focus Generalizations, basic ingredients

Our solution to Problem \#1 will contain two independent ingredients:
a. An observation that embedding exh below a DE operator need not be weakening if there is another exh above the DE operator, as in: $\operatorname{Exh}(-\operatorname{Exh}(\boldsymbol{p}$ or q))
b. A generalized version of the economy condition which compares possible domain restrictions for exh (and is needed on independent grounds).

As such, the generalized condition can rule out certain patters of focus marking, because focus marking, we will claim, is directly correlated with choice of alternatives.

We will start with (b)

## 7. Economy as a condition on the domain of exh

### 7.1. Santorio's problem

Santorio (2008) presents the following challenge to our account of Singh’s asymmetry.
a. Some or many of the students were in the room.
b. ?? Many or some of the students were in the room.

Why isn’t (32)b good under the parse in (32)'?
(32)' Exh(Many) or Exh(Some)

Many and not all
or Some but not many
After all:
a. Both occurrences of exh are globally strengthening (hence, of course, incrementally strengthening). [If either occurrence of exh were dropped, the sentence would be true if all the students were in the room.]
b. (32)' does not violate HC. [The two disjuncts are incompatible.]

### 7.2. Comparison Class for Economy - The basic intuition

Our Economy condition looks at a constituent exh( $\varphi$ ) in a given syntactic context and checks how it fares relative to its competitor $\varphi$. (It shouldn't yield a weaker meaning)

We would like to maintain our proposal but to add additional competitors. Santorio's case is problematic because Exh[Some], (= some but not many) does yield a stronger meaning than what we get from its competitor without exh, as we've seen. However, it does not yield a stronger meaning from what we get from another potential competitor, some but not all.
(33) Previous Competition: exh $_{\text {many }}$ (some) [= some but not many] competes with some
New Competition: some but not many competes not only with some but also with some but not all
(34) a. Previous Intuition: exhaustification is vacuous if it doesn't yield something stronger than what we would get without exhaustification.
b. New Intuition: exhaustification is vacuous if it doesn't yield something stronger than what we would get with less exhaustification.

The proposal up to now was that $e x h_{\text {many }}($ some $)$ is blocked if the weaker competitor some yields a result which is globally just as strong. In such a case we said that exh is weakening relative to this competitor.

Now we will say that that exh many (some) is blocked if one of the weaker competitors exh $h_{\text {all(some) }}$ or some yields a result which is globally just as strong. In such a case we can say that exh is weakening relative to one of these competitors.

In other words, in Santorio's example the exahaustified meaning of the second disjunct needed to obviate HC, some but not many, is blocked by the weaker competitor: some but not all. If the second disjunct were to receive the meaning of this weaker competitor (some but not all) the meaning of the matrix sentence would be the same.

### 7.3. The Actual Proposal

Let C bet a set of sentences. And let $E x h_{C}(X)$ be the exhaustified LF of X where C is the domain restrictor for Exh.
(35) Meaning $\operatorname{Exh}_{C}(X)$ is true iff $X$ is true and all members of $C$ not entailed by $X$ are false. ${ }^{3}$
(36) Comparison-Class $\left(\operatorname{Exh}_{C}(X)\right)=\left\{\operatorname{Exh}_{C^{\prime}}(X): \mathrm{C}^{\prime} \subset \mathrm{C}\right\}$

A sentence equivalent to $S$ is always in the Comparison-Class: $S \Leftrightarrow \operatorname{Exh}_{\varnothing}(\mathrm{S})$
If $\mathrm{C}^{\prime}$ is a proper subset of $\mathrm{C}, E x h_{C}(X)$ will entail $E x h_{C}(X)$
The Economy condition will not allow the use of the stronger sentence $E x h_{C}(S)$ if it leads to (incremental) weakening relative to $E x h_{C}(X)$.
(37) Economy Condition: ${ }^{*} S\left(E x h_{C}(A)\right)$, if $E x h_{C}$ is incrementally weakening in $S$.
(38) a. An occurrence of $E x h_{C}$ is globally weakening in a sentence $S$ if choosing a proper subset of $C$ strengthens truth conditions, i.e., if there is a proper subset of C, C', such that $S\left(\operatorname{Exh}_{C}(A)\right)$ entails $S\left(\operatorname{Exh}_{C}(A)\right.$
b-d as before
Easy to see that if $E x h_{C}$ is (incrementally) weakening by (13), then it is also (incrementally) weakening by (38). [Just let the empty set be C'.]

[^2]See Fox 2007.

### 7.4. Solving Santorio's problem

(32)"
a. $\quad \operatorname{Exh}_{\{\text {all }\}}($ Many $)$ or $\operatorname{Exh}_{\{\text {many, all\} }}$ (Some)
Economy
b. ${ }^{*} \operatorname{Exh}_{\{\text {all }\}}($ Many $)$ or $\operatorname{Exh}_{\{a l l\}}($ Some $)$
Hurford's Constraint

### 7.5. Complication

(32)" $\operatorname{Exh}_{\{\text {all }\}}$ (Many) or $\operatorname{Exh}_{\{\text {many\} }}$ (Some)

Claim: This is plausibly ruled out by an independently needed condition on domain restriction. The domain restriction, C , must be a contextually salient sub-set of the formally defined alternatives (which we will specify shortly). The fact that all is a member of the set for the first instance of exh tells us that it is contextually salient. Hence it should be a member of the alternatives for the second exh.

## 8. Exh in DE contexts

How can exh in a DE context satisfy Economy?
(39) a. John didn't talk to Mary OR Sue. He talked to both.
b. Every boy who did the reading OR the homework got an A. Every boy who did both got an A+.

### 8.1. Answer a-la Horn

Exh cannot be inserted in a DE context!
Things appear otherwise because of various meta-linguistic strategies that are associated with pitch accent.

This will be a boring answer to Problem\#1 consistent with our proposal for Problem\#2 and Problem\#3.

But we think we should try to do better. In particular, what are these meta-linguistic strategies? Originally, Horn suggested meta-linguistic negation, but examples such as (39)b should convince us that there is a more general operator. But, then we're back to the original dilemma. Why can the operator be freely inserted in various embedded positions (as we learn from Huford's constraint), and why is its insertion in DE contexts associated with specific focus marking?

### 8.2. Sketch of our proposal

### 8.2.1 The presence of a higher exh

Exh can be inserted in a DE context, only if there is another exh outside the DE context.

$$
\begin{equation*}
\operatorname{Exh}_{\mathrm{C} 1}\left[\neg\left[\operatorname{Exh}_{\mathrm{C} 2}(\mathrm{p} \text { or } \mathrm{q})\right]\right. \tag{40}
\end{equation*}
$$

An example that is licensed by the Economy condition:
$\mathrm{C} 1=\{\neg(\mathrm{p}$ or q$)\}$
$\mathrm{C} 2=\{(\mathrm{p}$ and q$)\}$

$$
\begin{align*}
& \operatorname{Exh}_{\{\neg(\mathrm{p} \text { or } \mathrm{q})\}}\left(\neg \left[\operatorname{Exh}_{\{\mathrm{p} \text { and } \mathrm{q})}(\mathrm{p} \text { or q)])})=\right.\right.  \tag{41}\\
& \quad \neg\left[\operatorname{Exh}_{\{\mathrm{p} \text { and q\}}}(\mathrm{p} \text { or } \mathrm{q})\right] \& \neg \neg(\mathrm{p} \text { or } \mathrm{q})= \\
& \\
& \mathrm{p} \text { or } \mathrm{q} \text { and } \neg[(\mathrm{p} \text { excl-or q)}] \text {, i.e., } \mathrm{p} \text { and } \mathrm{q} .
\end{align*}
$$

## Evidence that Exh $[\neg[\operatorname{Exh}(p$ or $q)]=p \& q$

(42) Each of our students studies both of these fields or none of them.
a. John is no exception. He doesn't study phonology OR morphology: he studies both.
b. (\#)John is no exception. He doesn't study phonology OR morphology: he either studies both or none.
(43) None of our students studies phonology OR morphology.

Every one studies either both of these fields or none of them. (to be understood shortly)

### 8.2.2. The connection with pitch accent

We will see that $\operatorname{Exh}_{\mathrm{C} 2}$ is incrementally weakening if $\mathrm{C}_{2}$ has additional members besides $p$ and $q$. So if $p$ and $q$ is a member of $\mathrm{C}_{2}$, it must be the only member.

But then an independently needed condition on focusing (namely Minimize Focus, Schwarzschild 1999) will require narrow focus on or, thus solving \#1.

## 9. The proposal

### 9.1. The relevance of pitch accent

Pitch accent enters into the determination of alternatives.

If a scalar item is focused, we get the appropriate alternatives for exhaustification:
(44) $\operatorname{Exh}_{\mathrm{ALT}}\left[\mathrm{CP}\right.$ John talked to Mary $\mathrm{OR}_{\mathrm{F}}$ Sue]

ALT is determined by the focus value of the prejacent CP, which includes John talked to Mary and Sue.

So why is pitch accent not required on or?
Answer: there can also be broader focus with the default pronunciation, e.g.:
(45) $\left.\operatorname{Exh}_{\mathrm{ALT}}[\mathrm{CPP} \text { John talked to [Mary or SUE }]_{\mathrm{F}}\right]$

ALT is determined by the focus value of the prejacent CP, which includes
John talked to Mary and Sue, as well as some other alternatives, for example:
John talked to Dick.
If we have broad focus, there will be at least one alternative which is not generated by narrow focus. This is fairly standard for the theory of focus sensitivity, and we will assume that it follows from the combination of following two principles:
(46) a. Association with Focus (AF): The set of alternatives for a focus sensitive operator must be a subset of the focus value of the prejacent.
b. Minimize Focus (MF): A sentence can't have a focus value F, if it would satisfy AF with another focus value $\mathrm{F}^{\prime}$ (derivable by a different distribution of focus marking), and $\mathrm{F}^{\prime} \subset \mathrm{F}$.

Consequences:
a. AF allows M\&S to be a member of ALT in both (44) and (45).
b. But if M\&S $\in \operatorname{ALT}[(45)]$, there must, by MF, be at least one member of ALT distinct from M\&S (let's say $D$ ), else the sentence would be licensed with the focus value of (44).
c. Consequently, if (45) yields the "not and" inference, it must yield an additional exclusive inference that would make it stronger than (44), e.g. $\neg D$.
(47) More Generally: Let $S_{\text {narrow }}$ be a sentence that contains one scalar item with narrow focus on the scalar item, and let not $S_{1}$ be its SI. Let $S_{\text {broad }}$ be identical to $S_{\text {narrow }}$ with the sole exception that focus is on a constituent that properly dominates the scalar item.
a. AF allows $\mathrm{S}_{\text {broad }}$ to have not $S_{1}$ as an SI .
b. But then it must have an extra SI, call it not $S_{2}$

### 9.2. A key assumption (based on Katzir 2008, Fox and Katzir in press)

In the parse in (48), the relevant alternative for the matrix exh is the prejacent without exhaustification, i.e., not (S)
(48) Exh [not exh (S)]

Relevant alternative for Matrix Exh: not(S)
Generalized to all (DE) operators
(49) Exh [OP exh (S)]

Relevant alternative for Matrix Exh: OP(S)

### 9.3. Consequences for a non-DE context

(50) $\operatorname{Exh}_{C}\left[\right.$ John talked to $\left.[\text { Mary or Sue }]_{F}\right]$

Phonlogy: pitch accent on Sue
Focus value:
\{John talked to Mary or Sue, John talked to Mary, John talked to Sue, John talked to Mary and Sue, John talked to Fred...\}
(51) ${E \quad E h_{C}}^{[J o h n}$ talked to Mary or ${ }_{F}$ Sue]

Phonlogy: pitch accent on or Focus value:
\{John talked to Mary or Sue, John talked Mary and Sue\}
C= any salient sub-set of the focus value that satisfies Minimize Focus.

So, by MF, one cannot select C = \{John talked Mary and Sue $\}$ with pitch accent on Sue.
But both representations can yield the exclusive or inference, hence no expectation that narrow focus will be needed in upward monotone contexts.

### 9.4. Consequences for a DE context

### 9.4.1. Negation

$$
\begin{align*}
& \operatorname{Exh}_{\{\neg(\mathrm{p} \text { or } \mathrm{q})\}}\left(\neg\left[\mathrm{Exh}_{\{\mathrm{p} \text { and } \mathrm{q})}\left(\mathrm{p} \mathrm{or}_{\mathrm{F}} \mathrm{q}\right)\right]_{\mathrm{F}}\right)=  \tag{52}\\
& \quad \neg\left[\operatorname{Exh}_{\{\mathrm{p} \text { and q\}}\}}(\mathrm{p} \text { or q)] } \& \neg \neg(\mathrm{p} \text { or q) })=\mathrm{p} \& \mathrm{q}\right.
\end{align*}
$$

Neither exh is (incrementally) weakening

$$
\begin{array}{lll}
\text { a. } & * \operatorname{Exh}_{\{\neg(\mathrm{p} \text { or } \mathrm{q})\}}\left(\neg\left[\operatorname{Exh}_{\{\mathrm{p} \text { and q) }}(\mathrm{p} \text { or q) })_{\mathrm{F}}\right]_{\mathrm{F}}\right) & \text { violates minimizize focus }  \tag{53}\\
\text { b. } & * \operatorname{Exh}_{\{\neg(\mathrm{p} \text { or } \mathrm{q})\}}\left(\neg\left[\operatorname{Exh}_{\{\mathrm{p} \text { and q, d) }}(\mathrm{p} \text { or } \mathrm{q})_{\mathrm{F}}\right]_{\mathrm{F}}\right) & \text { The lower exh is incrementally weakening }
\end{array}
$$

$$
\begin{array}{ll}
\operatorname{Exh}_{\{\neg(p \text { or } q)\}}\left(\neg\left[\operatorname{Exh}_{\{\mathrm{p} \text { and } q, \mathrm{~d}\}}(\mathrm{p} \text { or q)})\right]\right)= \\
\quad \neg\left[\operatorname{Exh}_{\{\mathrm{p} \text { and } \mathrm{q}, \mathrm{r}\}}(\mathrm{p} \text { or q)] } \& \neg \neg(\mathrm{p} \text { or } q)=\right. & \text { p or q and } \\
& \text { either }(\mathrm{p} \text { and } q) \text { or } r .
\end{array}
$$

### 9.4.2. Generalizing to other DE operators

$$
\begin{align*}
& \operatorname{Exh}_{\{\mathrm{OP}(\mathrm{p} \text { or q)\}}\}}\left(\mathrm{OP}\left[\operatorname{Exh}_{\{\mathrm{p} \text { and } q)}\left(\mathrm{p} \mathrm{or}_{\mathrm{F}} \mathrm{q}\right)\right]_{\mathrm{F}}\right)=  \tag{54}\\
& \quad \mathrm{OP}\left[\operatorname{Exh}_{\{\mathrm{p} \text { and q\}}}(\mathrm{p} \text { or } \mathrm{q})\right] \& \neg \mathrm{OP}(\mathrm{p} \text { or q)}
\end{align*}
$$

Neither exh is weakening.
Explanation: For each exh showing that it is not weakening involves comparision with the representation without exh (the empty set as restrictor). The proof is trivial

It's also easy to see that if the lower exh would have the extra-alternative needed for broad-focus the result would be weaker.

## 10. A new theory of alternatives

Based on Fox and Katzir (in press). Some other time...

## 11. Back to Gajewski and Sharvit

$$
\begin{equation*}
\operatorname{Exh}_{\{\neg(p \text { or } q)\}}\left[\neg\left[\operatorname{Exh}_{\{\mathrm{p} \text { and } q\}}(\mathrm{p} \text { or q) or both }]\right]\right. \tag{55}
\end{equation*}
$$

Here Matrix exh is (incrementally) weakening. (Note: embedded exh is globally weakening but not incrementally weakening.)

## Two DED disjuncts.

(56) We did not invite the first year students or all of the students. We invited the first year students and the second year students.

If [ $\mathrm{S}(\mathrm{P})$ or Q ] is stronger than [ P or Q ], then $\neg(\mathrm{P}$ or Q$)$ is stronger than $\neg[\mathrm{S}(\mathrm{P})$ or Q ].
We thus get:

$$
\begin{equation*}
\operatorname{Exh}_{\{\neg(\mathrm{P} \text { or } \mathrm{Q})\}}[\neg[\mathrm{S}(\mathrm{P}) \text { or } \mathrm{Q}]]=\neg[\mathrm{S}(\mathrm{P}) \text { or } \mathrm{Q}] \&[\mathrm{P} \text { or } \mathrm{Q}] \tag{57}
\end{equation*}
$$

(58) We did not introduce every boy to Mary or Sue or every boy to Mary and Sue. We introduced every boy to Mary.
(59) We did not introduce every boy to Mary or Sue or every boy to Mary and Sue. We introduced some boys to Mary or Sue and some boys to Mary and Sue.

## 12. Summary:

Hurford Disjunctions provide important evidence for the existence of EE.

We thus need to understand why EE is restricted, in particular why it cannot occur in DE contexts without special pitch accent (problem 1).

The distribution of Hurford disjunctions is a good probe for studying an independently needed constraints on EE (problems 2 and 3). Our hope was that the solutions to these problem will resolve problem 1 as well.

Problems 2 and 3 motivated an economy condition that ruled-out incremental weakening. We tried to argue that a particular version of this condition which compared alternative domain restrictions extended to problem 1 as well.

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### 24.954 Pragmatics in Linguistic Theory

Spring 2010

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[^0]:    ${ }^{1}$ The following alternative Generalization is sometimes presupposed, but argued against in CFS:
    An alternative (false) Implicature Focus Generalizations: implicatures can be embedded only if the (relevant) scalar terms bear pitch accent.

[^1]:    ${ }^{2}$ See Singh 2008, for arguments that the constraint should be strengthened, arguments, which as Singh mentions, do not bear on our conclusions.

[^2]:    ${ }^{3}$ There are various reasons to modify (35), which, we think, can be made consistent with the eventual proposal. What is needed is to define the comparison class as follows:
    (i) Comparison-Class $\left(\operatorname{Exh}_{\mathrm{C}}(\mathrm{X})\right)=\left\{\mathrm{Exh}_{\mathrm{C}}(\mathrm{X}): \mathrm{I}-\mathrm{E}\left(\mathrm{C}^{\prime}, \mathrm{p}\right) \subset \mathrm{I}-\mathrm{E}(\mathrm{C}, \mathrm{p})\right\}$

