

October 13, 2005 - Quiz #1

Name: _____

Recitation: _____

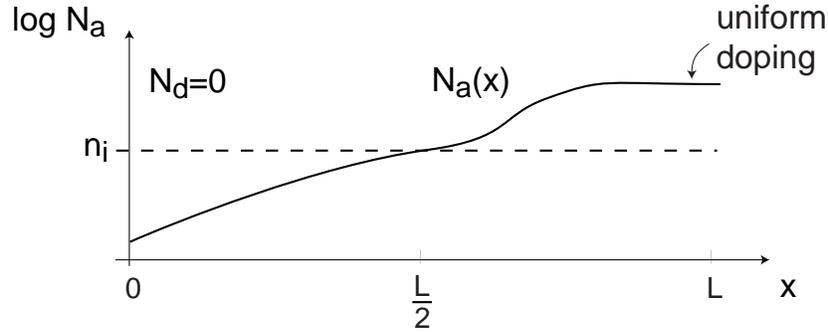
problem	grade
1	
2	
3	
4	
total	

General guidelines (please read carefully before starting):

- Make sure to write your name on the space designated above.
- **Open book:** you can use any material you wish.
- All answers should be given in the space provided. Please do not turn in any extra material. If you need more space, use the back page.
- You have **120 minutes** to complete your quiz.
- Make reasonable approximations and *state them*, i.e. quasi-neutrality, depletion approximation, etc.
- Partial credit will be given for setting up problems without calculations. **NO** credit will be given for answers without reasons.
- Use the symbols utilized in class for the various physical parameters, i.e. μ_n , I_D , E , etc.
- Every numerical answer must have the proper units next to it. Points will be subtracted for answers without units or with wrong units.
- Use $\phi = 0$ at $n_o = p_o = n_i$ as potential reference.
- Use the following fundamental constants and physical parameters for silicon and silicon dioxide at room temperature:

$$\begin{aligned}
 n_i &= 1 \times 10^{10} \text{ cm}^{-3} \\
 kT/q &= 0.025 \text{ V} \\
 q &= 1.60 \times 10^{-19} \text{ C} \\
 \epsilon_s &= 1.05 \times 10^{-12} \text{ F/cm} \\
 \epsilon_{ox} &= 3.45 \times 10^{-13} \text{ F/cm}
 \end{aligned}$$

1. (25 points) A bar of silicon is doped with acceptors as shown below. The doping density varies smoothly and monotonically in the x direction from $N_A \ll n_i$ at $x = 0$ to $N_A \gg n_i$ at $x = L$. $N_a(L/2) = n_i$. Around $x = L$, the acceptor profile becomes uniform. The donor density is zero everywhere. This is a thermal equilibrium situation.



On the basis of this description, answer the following questions by circling the correct answer. Write a brief justification for your choice below.

(1a) (2 points) Where is the hole concentration the greatest?

$x = 0$ $0 < x < L/2$ $x = L/2$ $L/2 < x < L$ $x = L$ uniform

(1b) (2 points) Where is the electron concentration the greatest?

$x = 0$ $0 < x < L/2$ $x = L/2$ $L/2 < x < L$ $x = L$ uniform

(1c) (2 points) In which direction does the hole diffusion current flow?

$-\vec{x}$ no current $+\vec{x}$

(1d) (2 points) In which direction does the hole drift current flow?

$-\vec{x}$ no current $+\vec{x}$

(1e) (2 points) In which direction does the electron diffusion current flow?

$-\vec{x}$ no current $+\vec{x}$

(1f) (2 points) In which direction does the electron drift current flow?

$-\vec{x}$ no current $+\vec{x}$

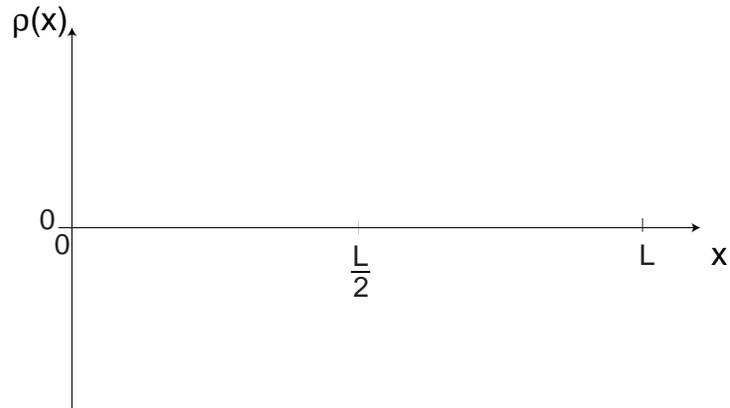
(1g) (2 points) In which direction does the electric field point?

$-\vec{x}$ no field $+\vec{x}$

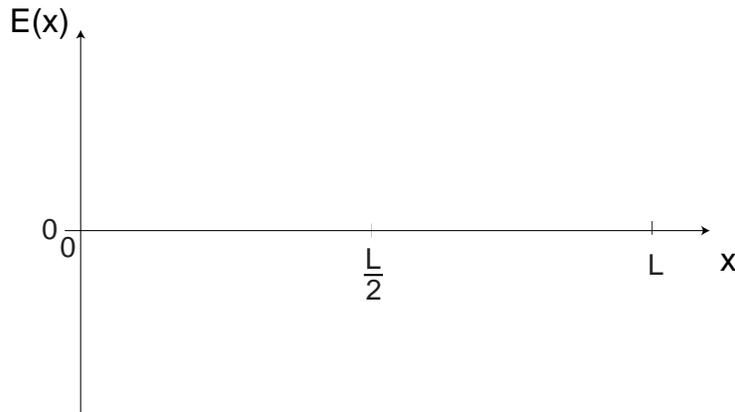
(1h) (2 points) Where is the electrostatic potential the greatest?

$x = 0$ $0 < x < L/2$ $x = L/2$ $L/2 < x < L$ $x = L$ uniform

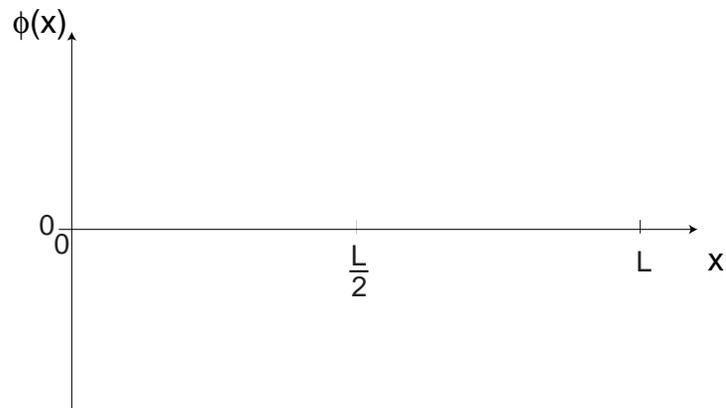
(1i) (3 points) In the axis provided below, sketch the volume charge density along x .



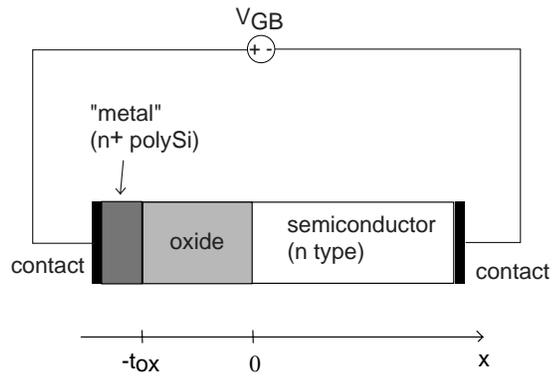
(1j) (3 points) In the axis provided below, sketch the electric field distribution along x .



(1k) (3 points) In the axis provided below, sketch the electrostatic potential distribution along x . Use as reference $\phi = 0$ at $n_o = p_o = n_i$.

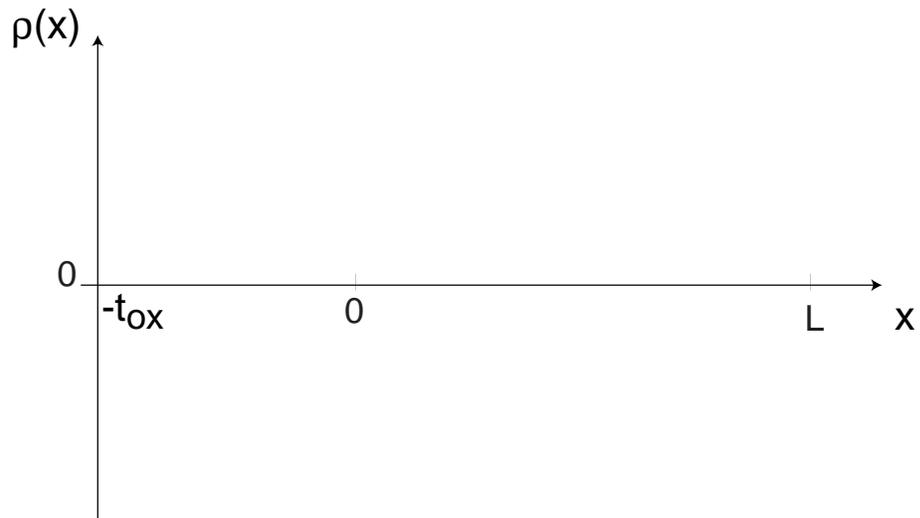


2. (10 points) Consider an MOS structure on an n-type substrate:



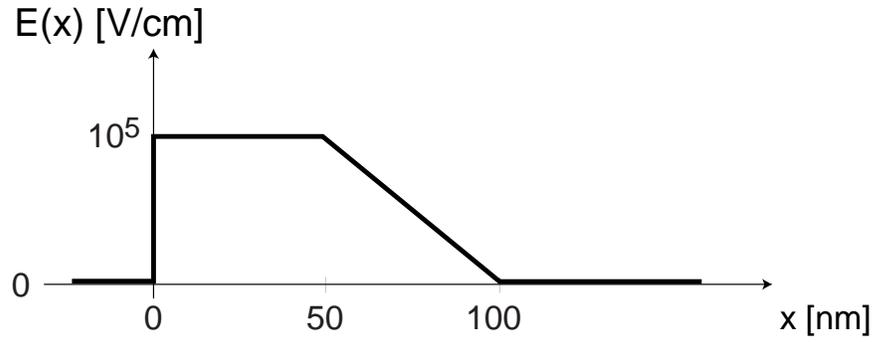
The doping level in the substrate (or body) is $N_D = 10^{17} \text{ cm}^{-3}$. The doping level in the gate is $N_D^+ = 10^{20} \text{ cm}^{-3}$.

(2a) (5 points) In the axis below, *qualitatively* sketch the volume charge density across this structure at zero bias. Explain your result.



(2b) (5 points) Calculate the flatband voltage of this structure (*numerical answer with appropriate sign and units expected*).

3. (30 points) Consider a pn junction at zero bias with an electric field distribution as sketched below. The metallurgical junction is placed at $x = 0$.



(3a) (10 points) Calculate the depletion capacitance at zero bias (*numerical answer with appropriate sign and units expected*).

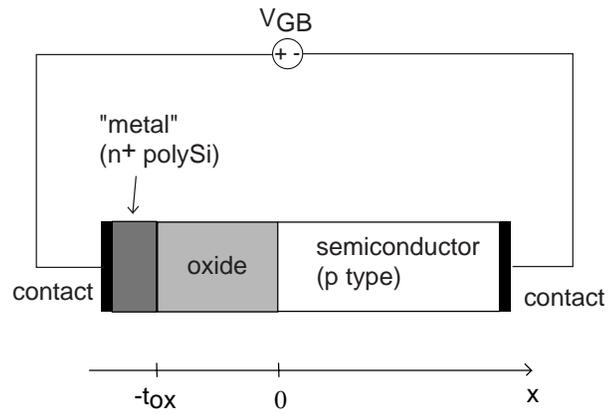
(3b) (5 points) Calculate the built-in potential (*numerical answer with appropriate sign and units expected*).

(3c) (5 points) Estimate the doping type and doping level of the region between $50 < x < 100 \text{ nm}$ (numerical answer with appropriate sign and units expected).

(3d) (5 points) What can you say about the doping type and doping level of the region between $0 < x < 50 \text{ nm}$?

(3e) (5 points) What can you say about the doping type and doping level of the region defined as $x < 0$?

4. (40 points) Consider a MOS structure as sketched below:



The oxide thickness is $t_{ox} = 50 \text{ nm}$ and the doping level in the substrate is $N_a = 10^{16} \text{ cm}^{-3}$.

This problem is about calculating the hole concentration at $x = 0$ (the oxide-semiconductor interface) under the following conditions:

(4a) (10 points) At flatband (numerical answer with appropriate sign and units expected).

(4b) (10 points) At threshold (numerical answer with appropriate sign and units expected).

(4c) (10 points) At a condition in which the potential build up from the quasi-neutral body of the semiconductor to $x = 0$ is 0.5 V (numerical answer with appropriate sign and units expected).

(4d) (10 points) At a condition when the capacitance per unit area of the MOS structure is 50 nF/cm^2 (numerical answer with appropriate sign and units expected).