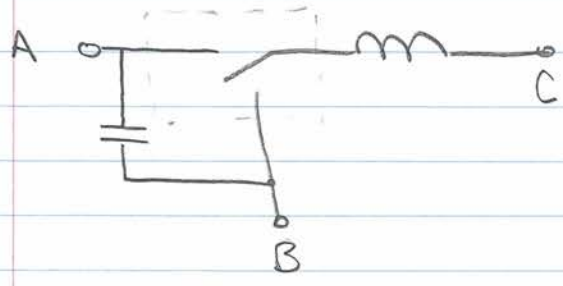
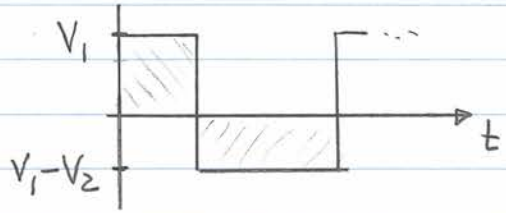
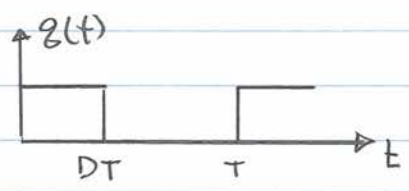
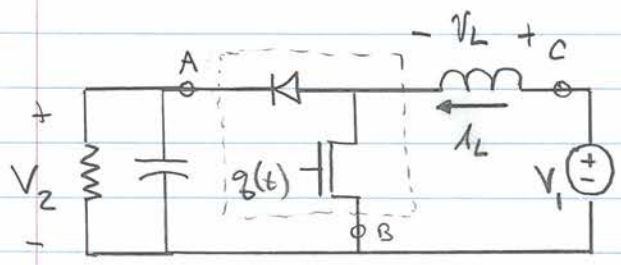


Last class we introduced the canonical switching cell:



we can construct various types of converters from this.

e.g. "Boost" converter



$$\langle V_L \rangle = DT V_1 + (1-D) T (V_1 - V_2) = 0 \text{ in P.S.S.}$$

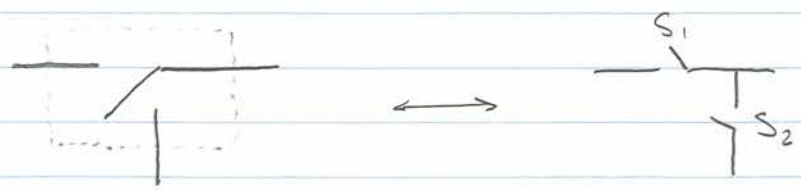
$$\therefore V_1 = (1-D) V_2 \Rightarrow$$

$$\frac{V_2}{V_1} = \frac{1}{1-D}$$

by conservation of power

$$\frac{I_2}{I_1} = 1-D$$

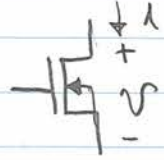
The operational capabilities of a converter are heavily influenced by switch implementation



S1, S2 controlled so that inductor is never open-circuited with current through it.

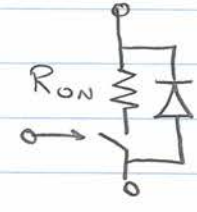
SWITCH IMPLEMENTATIONS :

POWER MOSFET

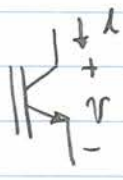


CAN:
Block + v
Carry + or - i

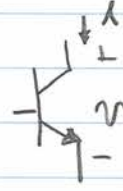
model as



IGBT



or BJT



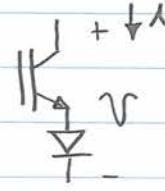
Similar, but cannot block reverse v or carry reverse i

most versions will blow up!

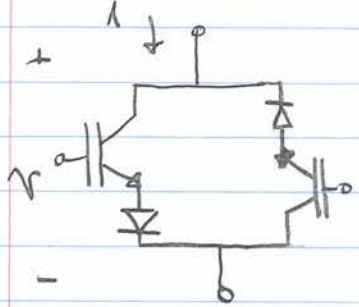
So:



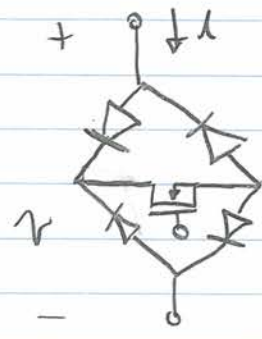
Block + v
CARRY +, - i



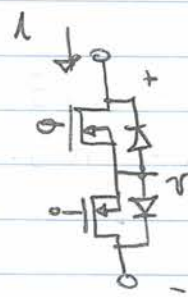
Block +, - v
Carry + i



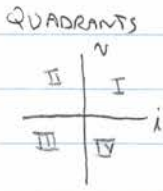
or



or



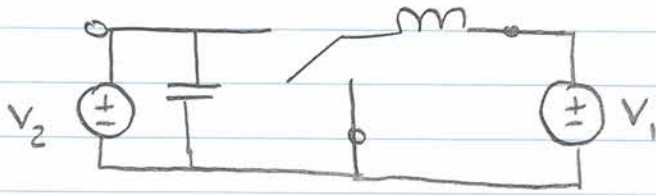
Block +, - v
Carry +, - i



In analyzing a converter and identifying power flow direction we need to know many things:

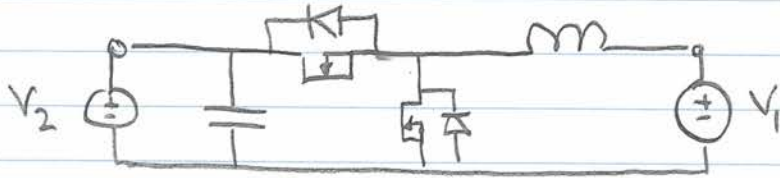
- ① Switch implementation
- ② EXTERNAL NETWORKS
- ③ CONTROL

e.g.



CAN WE TELL
POWER FLOW DIRECTION?
⇒ NO

Adding switch implementation

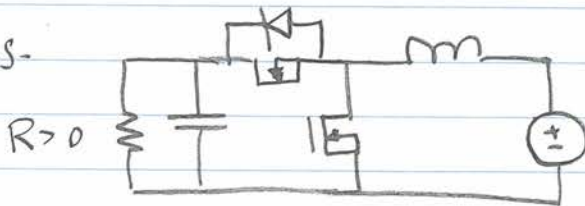


WE STILL CANNOT TELL
⇒ COULD DO "BUCK"
L → R OR "BOOST"
R → L operation
(DEPENDS ON CONTROL)
⇒ WE DO KNOW V_1, V_2
must be > 0
⇒ Also $V_2 \geq V_1$

NOTE: The Intronics/MIT converter is
an example of a bidirectional unit of this
type

EXTERNAL NETWORKS +/OR CONTROL MAY BE SUFFICIENT

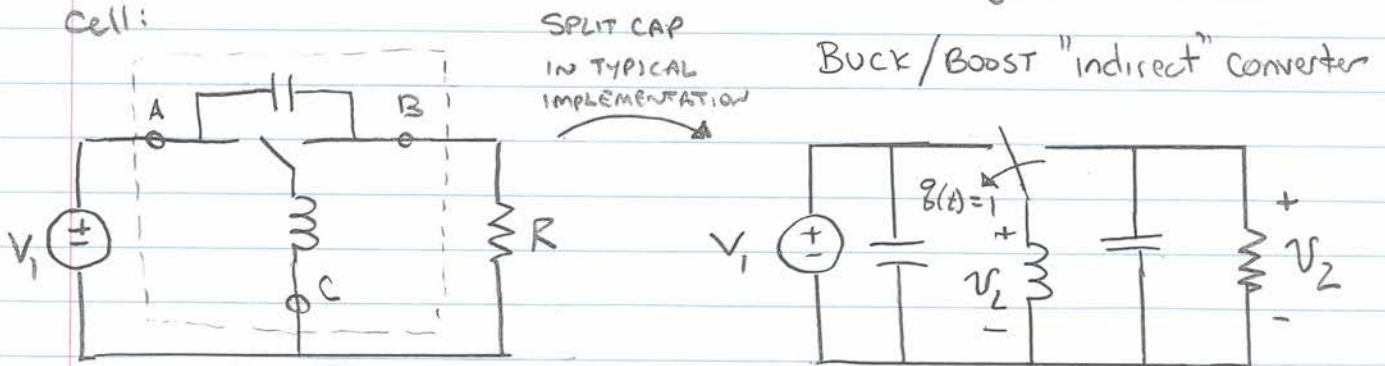
e.g.



This must send power $R \rightarrow L$
in p.s.s. (but may transiently
be bidirectional)

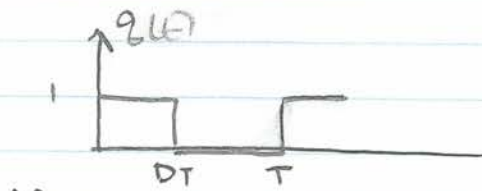
The buck, boost converters are Direct converters
⇒ energy transfer directly from one port to the other in one switch state.

Other types are possible. Consider rearranging the canonical
cell:

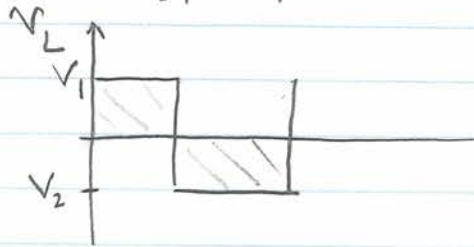


G.334 Lecture Notes

Dc/Dc Lecture #2



IF L 's, C 's are big, \leftarrow Small ripple
in P.S.S.



$$\langle V_L \rangle = V_1 DT + V_2 (1-D)T = 0$$

Assume $V_1 > 0$
in this case

$$\therefore V_2 = \frac{-D}{1-D} V_1$$

$\therefore V_2 < 0$
So zero avg!

$\Rightarrow V_2$ has opposite sign to V_1

$$\Rightarrow \left. \begin{array}{l} 0 < D < 0.5 \quad |V_2| < |V_1| \\ 0.5 < D < 1 \quad |V_2| > |V_1| \end{array} \right\} \begin{array}{l} \text{So as} \\ 0 < D < 1 \\ -\infty < V_2 < 0! \end{array}$$

Explain: ① In 1st part of cycle, store incremental energy in L from V_1

② 2nd part of cycle, transfer energy from L to V_2

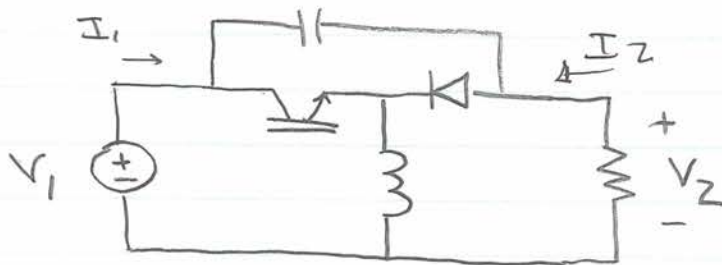
INDIRECT

\Rightarrow All energy is transferred via the inductor!

\Rightarrow must have voltage inversion to get $\langle V_L \rangle = 0$

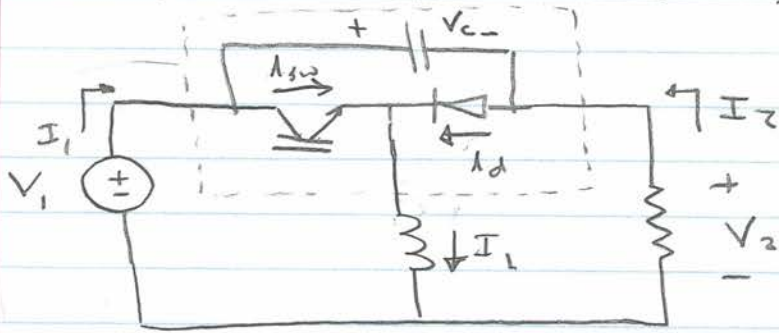
SWITCH IMPLEMENTATION FOR $V_1 > 0, V_2 < 0$

"Buck/Boost" Converter



IF $V_1 > 0, V_2 < 0$
 $\therefore I_1 > 0, I_2 > 0$

Look @ AVERAGE CKT VARIABLES IF L, C Very large (no ripple)



If L's, C's large
 $V_1(t) = V_1$
 $V_2(t) \approx V_2$
 $I_L(t) \approx I_L$

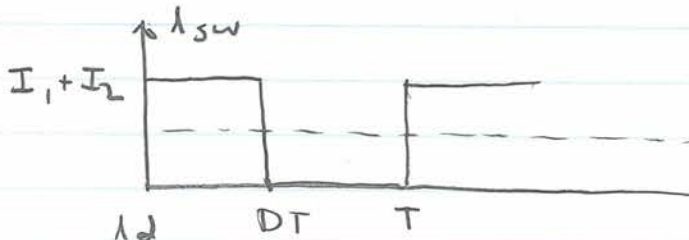
Average KCL into dotted box "Supernode":

$$I_L = I_1 + I_2 \quad \text{OR} \quad |I_L| = |I_1| + |I_2|$$

Average KVL around outer loop

$$V_C = V_1 - V_2 \quad \text{OR} \quad |V_C| = |V_1| + |V_2|$$

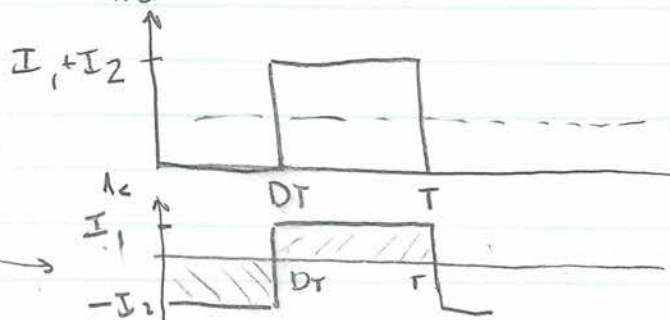
It may be counter intuitive why $I_L = I_1 + I_2$: look @ i_{sw}



$$i_{sw, peak} = I_1 + I_2$$

$$\langle i_{sw} \rangle = D(I_1 + I_2) = I_1$$

(since $\langle i_c \rangle = 0$)



$$i_{d, peak} = I_1 + I_2$$

$$\langle i_d \rangle = (1-D)(I_1 + I_2) = I_2$$

(since $\langle i_c \rangle = 0$)

$$DI_2 = (1-D)I_1$$

Capacitor sees large ripple current

In general, for an INDIRECT CONVERTER

$$I_L = i_{2, peak} = i_{d, peak} = |I_1| + |I_2|$$

$$V_C = V_{g, peak} = V_{d, peak} = |V_1| + |V_2|$$

SHOW SIMULATION OF BUCK/BOOST!

Switch order of presentation

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6.622 Power Electronics
Spring 2023

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