

These two forces can add up to zero under the following conditions:

1) Never, it's impossible.
2) Only for the right values of the magnitudes of F1 and F2.
3) Only for the right value of the angle $\theta$.
4) Only for the right values of the magnitudes and the angle.
5) Need more information to answer.


These three forces with exactly identical magnitudes can't add up to zero because:

1) I think that the total $Y$ component cannot be zero.
2) I think that the total $X$ component cannot be zero.
3) I think that both the total $Y$ and the total X components cannot be zero.
4) I have no idea how to do this without knowing the value of $\theta$.
5) Need more information to answer.


These two forces can add up to zero under the following conditions:

The two vectors can add to zero only if the magnitudes of F1 and F2 are identical and the angle is $180^{\circ}$ so that the two vectors are exactly back-to-back.

Correct answer is (4).


These three forces with exactly identical magnitudes can't add up to zero because:

Both the sine and cosine of all angles are always less than or equal to 1 . Thus, if the angle is not zero or $90^{\circ}$, both the X and Y components can never cancel to give zero. So, the answer is (3).


These three forces with exactly identical magnitudes can't add up to zero because:

1) I think that the total $Y$ component cannot be zero.
2) I think that the total $X$ component cannot be zero.
3) I think that both the total $Y$ and the total X components cannot be zero.
4) I have no idea how to do this without a calculator.
5) Need more information to answer.


These three forces with exactly identical magnitudes can't add up to zero because:

The sine of $10^{\circ}$ in much less than 0.5 (it will help you to remember some special cases like $\left.\sin \left(30^{\circ}\right)=0.5\right)$ so the Y component cannot be zero. The X component must be zero by symmetry. So, the answer is (1).

