## MITOCW | MIT8_01F16_L00v02_360p

We begin with multiplication of a vector by a scalar.
When you multiply a vector, A, by a scalar, this multiplicative factor just rescales the magnitude or the length of the vector.

Let us look at the vector 2 times A. This is in the same direction as the vector A, but is twice as long.

This is vector B. A vector is defined by its magnitude and direction.

So this vector $B$ is the same anywhere in space, including at the origin.

If I want minus 0.5 times $B$, this vector is in the opposite direction of $B$ and is half the length.

Now let's look at vector addition.

Here's a vector A. Here is B. How do we add them graphically?

We slide the tail of $B$ to the head of $A$.

And their sum is a vector drawn from the tail of $A$ to the head of $B$. I could have also added $A$ to $B$ by sliding the tail of $A$ to the head of $B$.

You can see that this makes a parallelogram, and the sum, vector C , is just the diagonal of this parallelogram.

Subtraction can be thought of as just multiplication and addition.

If I have $C$ is equal to $A$ minus $B, I$ just need to add $A$ to the vector minus $B$. Minus $B$ is negative 1 times $B$, which is this vector here.

Now I only have to add A to minus B.

Let's do another example.

Here are my vectors $A$ and $B$ do not start at the origin.

But since vectors are the same anywhere in space, I can go through the process here.

I want $A$ minus $B$. So I first multiply $B$ by minus 1 to find minus $B$. And then I move the tail of minus $B$ to the head of A and add the two like this.

