1. Sunset at the Equator
Sunset is defined as the instant that the top of the sun disappears below the horizon. How long is it from the time when the bottom of the sun hits the horizon until the instant of sunset assuming that you are standing on the equator on March 21. Call this time $t_{\text{sunset}}$ and find it in seconds? (Hint: Look at Appendix F of Y&F – it has a table of astronomical distances. You should check the other appendices also.)

2. Dimensions of displacement formula
a) Show that the dimensions of the equation
$$v_f^2 = v_i^2 + 2a(x_f - x_i)$$
are consistent.
b) If both sides are multiplied by m (a mass), what common dimensions do both sides have and what new derived dimension is this?

3. Walking 1/2 the time vs. Walking 1/2 the distance
Tim and Rick both can run at speed $v_r$ and walk at speed $v_w$, with $v_w < v_r$ They set off together on a journey of distance D. Rick walks half of the distance and runs the second half. Tim walks half of the time and runs the other half.

a) Draw a graph showing the positions of both Tim and Rick versus time.
b) Write two sentences explaining who wins and why.
c) How long does it take Rick to cover the distance D?
d) Find Rick's average speed for covering the distance D.
e) How long does it take Tim to cover the distance?
4. **Same Acceleration, Half the Distance**

On the graph below you are to draw the velocity (in m/s) vs time curves for two different trips of a drag car, both starting from rest. Your curves must achieve three things:

a) The average acceleration as computed from its definition should be 15 m/s² from 0 to 6 seconds

b) The total displacement for curve 1 should be twice that of curve 2

c) The maximum acceleration of the car is always less or equal to 45 m/s².
5. **Collision of Two Dropped Balls**

A ball is dropped from a window 10 m above the ground at t=0. When it bounces, its rebound speed is 71% of its impact speed. At t = 2 sec, a second ball is released from the same place. Take g = 10 m/s^2.

a) Draw a graph of the positions of the two balls versus time.

b) Give an expression for the position of the first ball y1(t), that is valid after it has bounced once.

c) When will the two balls collide? After how many total bounces?